

EVALUACIÓN LONGITUDINAL DE IMPACTO

Métodos en Series de Tiempo para la evaluación de programas

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Temas

- La serie y_t
- Modelo ITSA
- Componentes cíclicos
- Modelos Auto-regresivos
- Conclusiones

La serie y_t

$$\bullet y_t = \begin{cases} 50 + 30 \cdot \sin(0.8 \cdot t) + 1.5 \cdot t & \text{si } t \leq 100 \\ 50 + 30 \cdot \sin(0.8 \cdot t) + 1.5 \cdot t - 60 - 3 \cdot (t - 101) & \text{si } t > 100 \end{cases}$$

Cambio de nivel

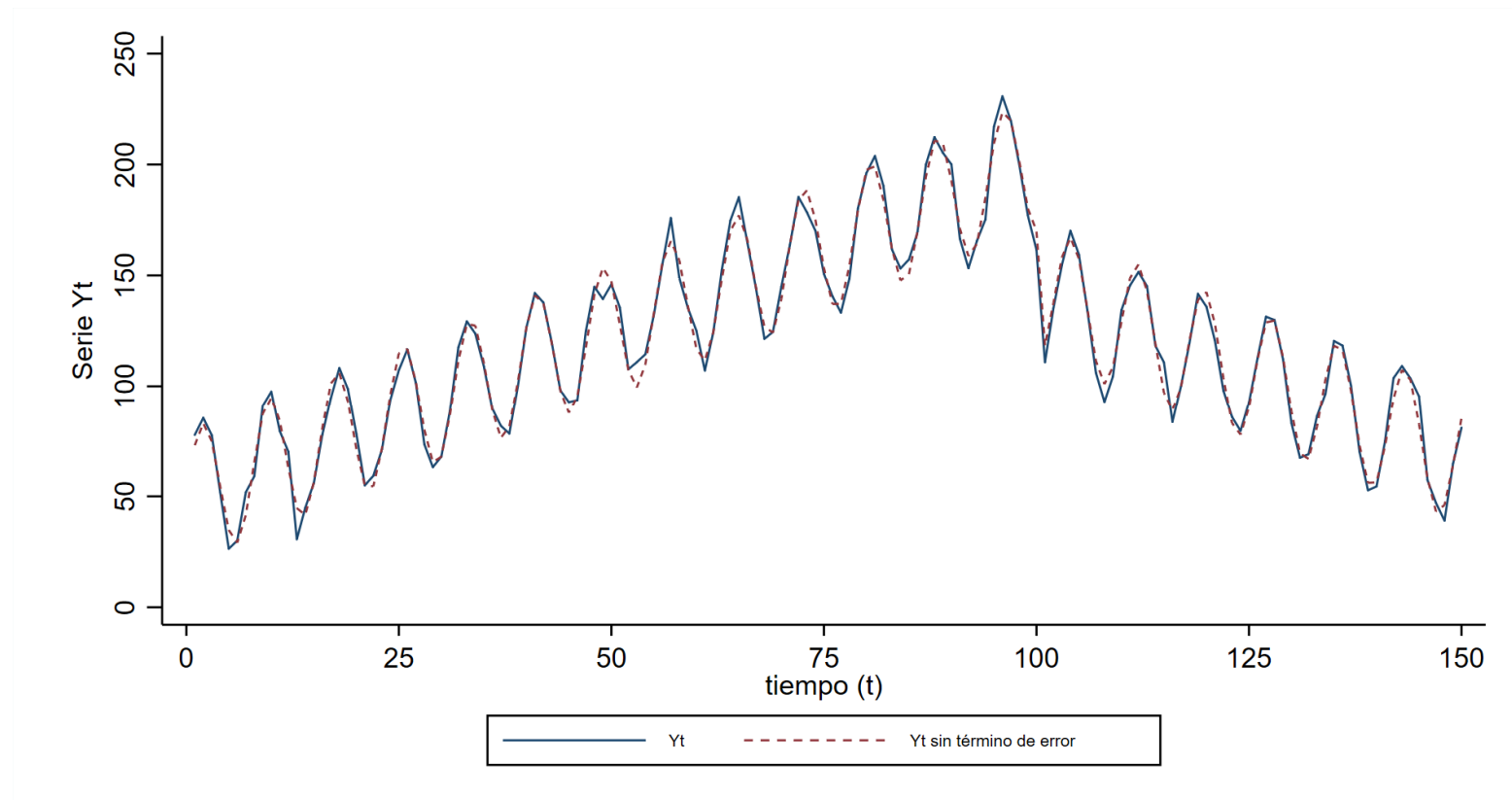
Cambio de pendiente

```
set obs 150  
gen t=_n
```

```
generat Yciclse = 50 + 30*sin(0.8*t) + 1.5*t  
replace Yciclse = 50 + 30*sin(0.8*t) + 1.5*t + (-60-3*(t-101)) if t>100
```

```
set seed 1  
gen errr=rnormal(0,5)  
generat Ycicl = 50 + 30*sin(0.8*t) + 1.5*t + errr  
replace Ycicl = 50 + 30*sin(0.8*t) + 1.5*t + errr + (-60-3*(t-101)) if t>100
```

La serie y_t



MODELO ITSA

Análisis de series de tiempo interrumpidas

Modelo ITSA

$$y_t = \alpha + \beta_1 \cdot t_t + \beta_2 \cdot T_t + \beta_3 \cdot (t_t \cdot T_t) + \varepsilon_t$$

Donde:

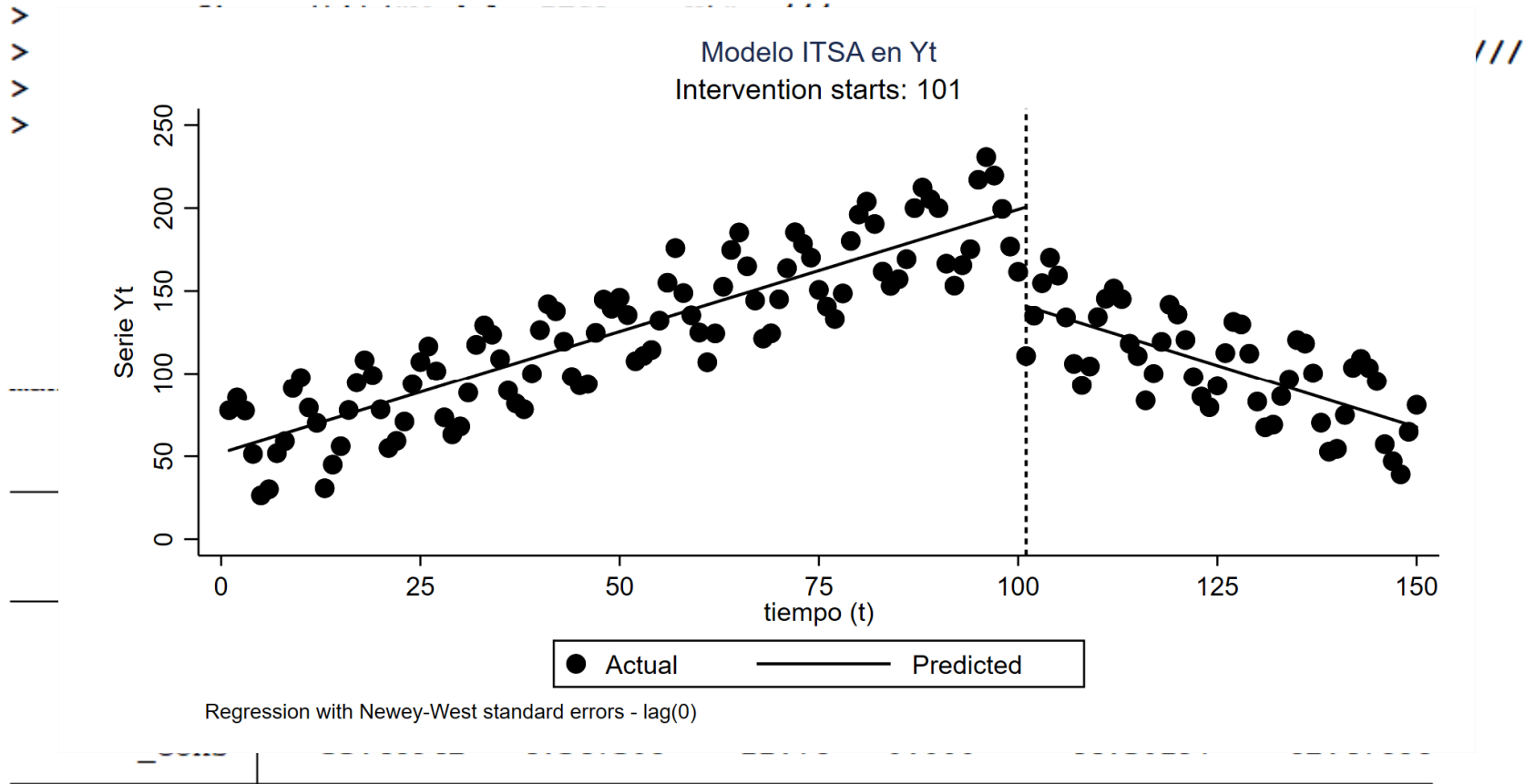
- α es el valor inicial de y_t (en $t = 0$).
- t_t es el periodo.
- T_t es la variable de tratamiento (intervención).
- β_1 es la tendencia.
- β_2 es el cambio de nivel.
- β_3 es el cambio de tendencia; $(\beta_1 + \beta_3)$ es la tendencia secular.

Hipótesis nulas:

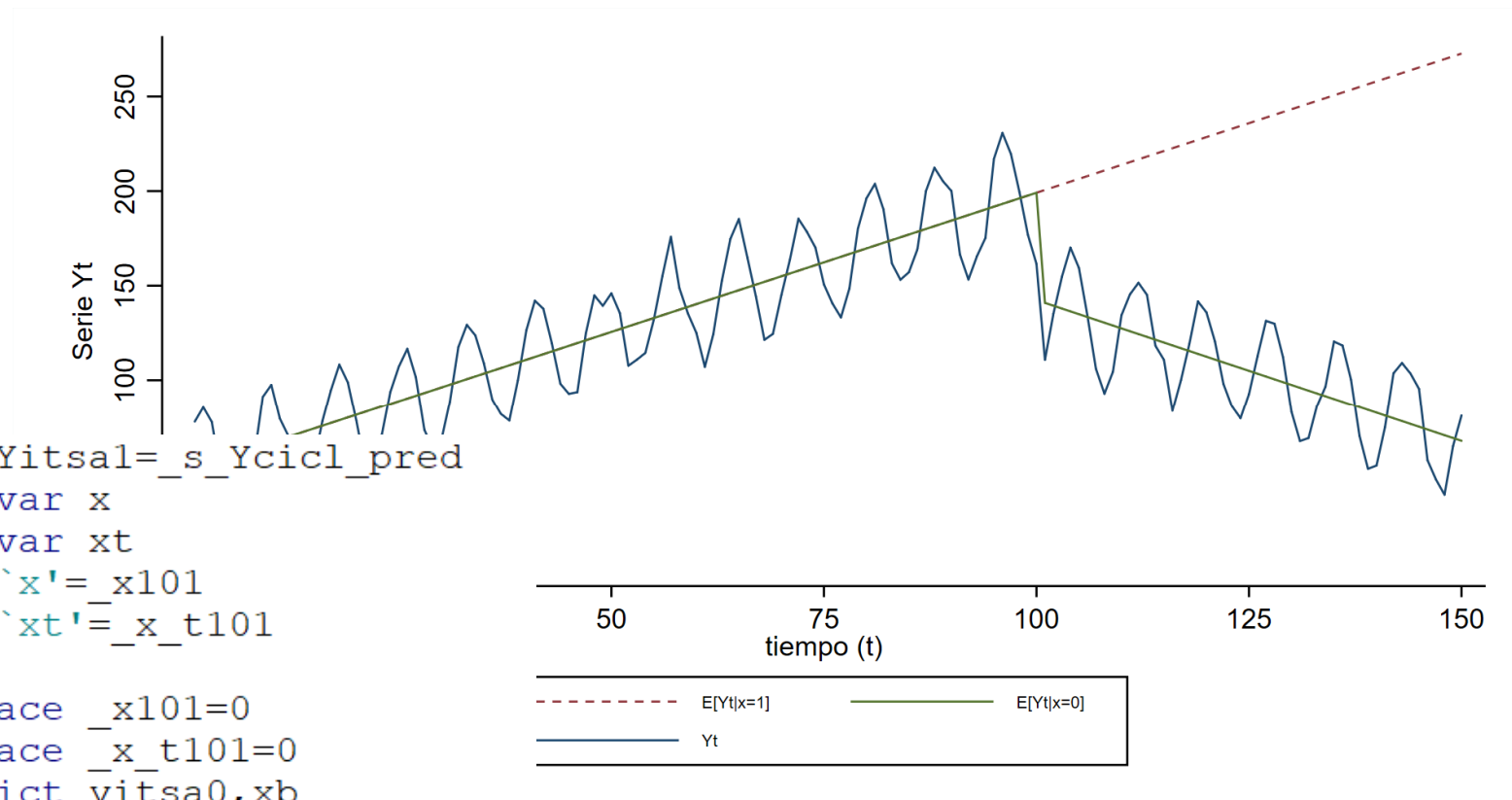
- $H_0: \beta_2 = 0$
- $H_0: \beta_3 = 0$

Resultados modelo ITSA

```
. itsa Ycicl, trperiod(101) posttrend replace ///
```



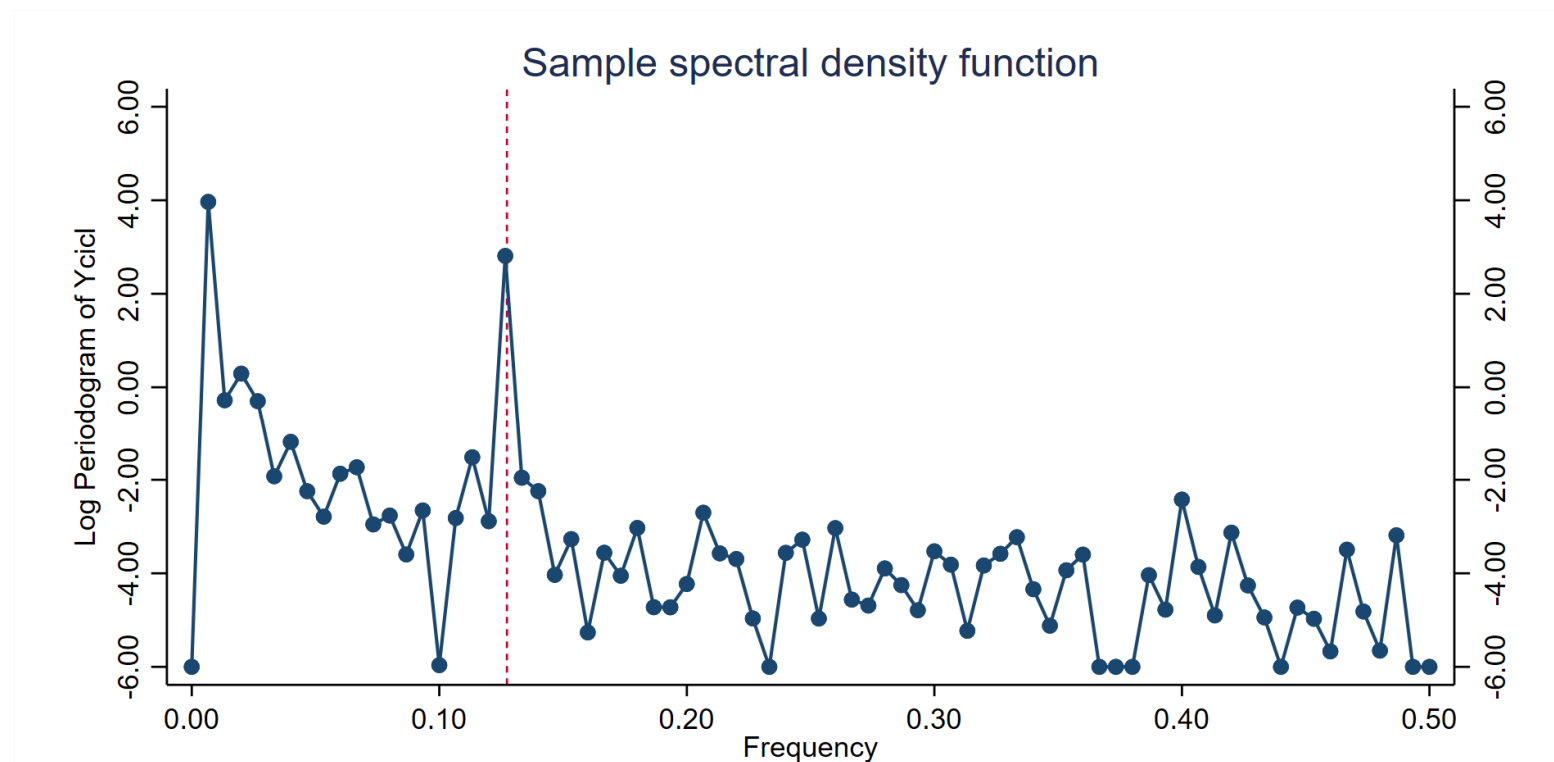
Resultados modelo ITSA



CÍCLICOS

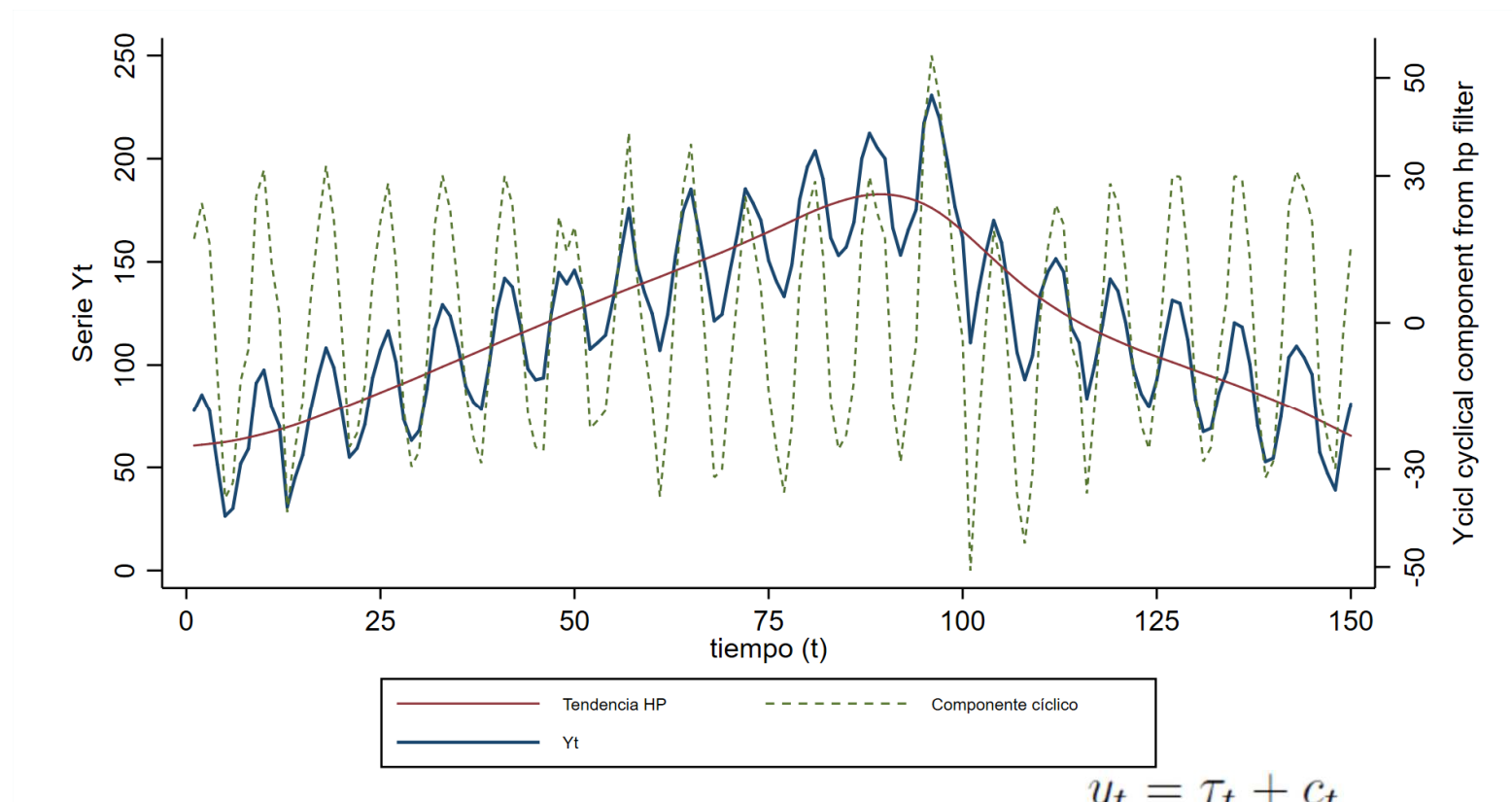
Componentes cíclicos, tendencias y filtros

Componentes cíclicos



```
sca freq=0.8/(2*_pi)
pergram Ycicl, xline(`=freq',lwidth(thin) lpattern(shortdash)) ///
name(spectr, replace) graphregion(color(white)) ///
legend(off) ylabel(,nogrid) msize(small)
graph export "$F\Espectro.png", as(png) replace width(1900) height(1000)
```

Componentes cíclicos



```
tsfilter hp cicl0 = Ycicl, trend(tnd0)
```

$$y_t = \tau_t + c_t$$

$$\min_{\tau_t} \left[\sum_{t=1}^T (y_t - \tau_t)^2 + \lambda \sum_{t=2}^{T-1} \{(\tau_{t+1} - \tau_t) - (\tau_t - \tau_{t-1})\}^2 \right]$$

Componentes cíclicos

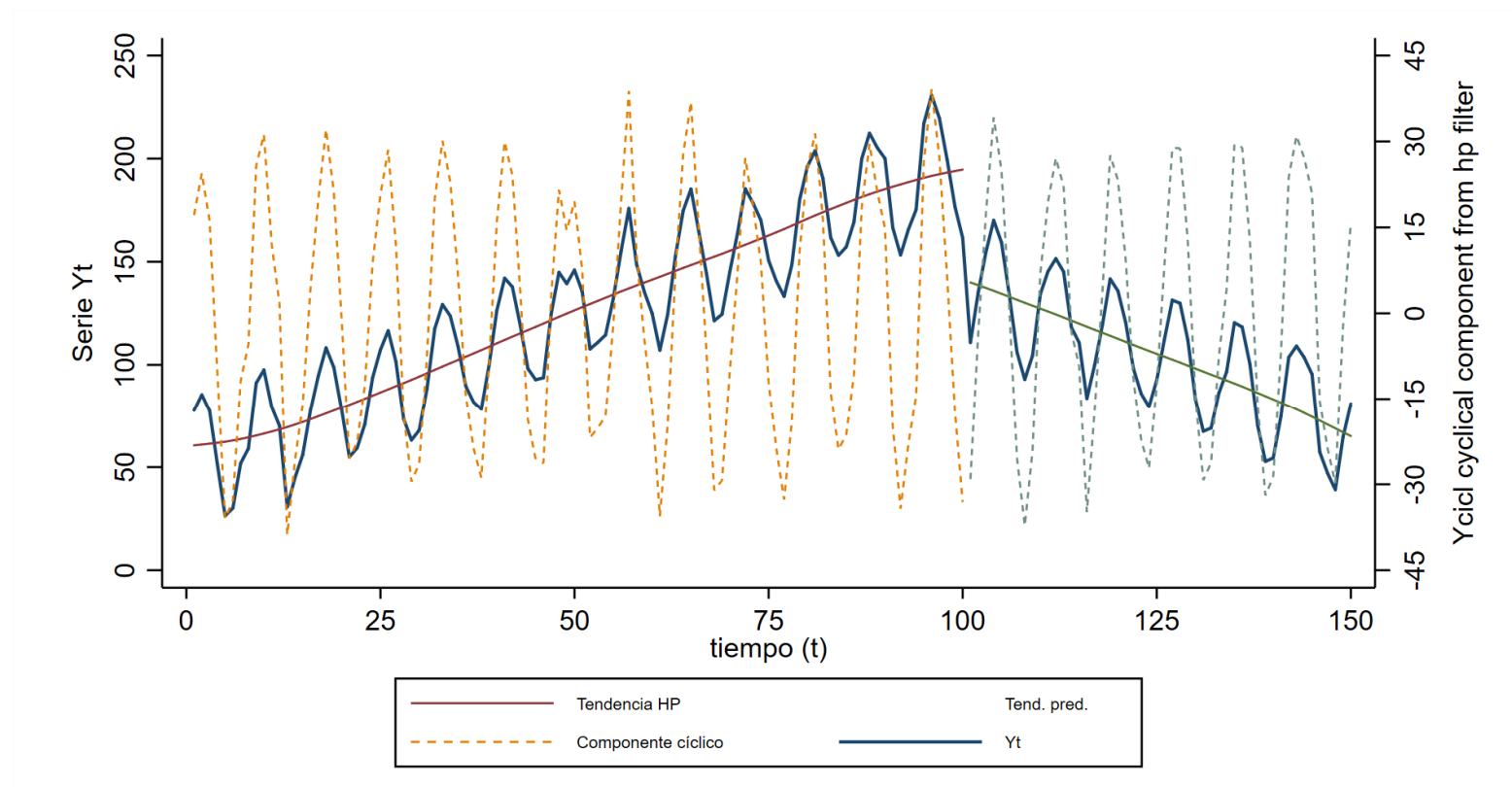
```
. itsa tnd0, trperiod(101) posttrend replace ///  
>     figure(tit("Modelo ITSA en la tendencia del filtro HP", ///  
>             size(medium) graphregion(color(white)) name(itsa_y1, replace) ///  
>             ytit("Serie Yt")          ylabel(0(50)250,nogrid) ///  
>             xtit("tiempo (t)")        xlabel(0(25)150,nogrid))
```

```
time variable: t, 1 to 150  
delta: 1 unit
```

```
Regression with Newey-West standard errors      Number of obs      =      150  
maximum lag: 0                                F( 3, 146)         =    1229.85  
                                                Prob > F           =      0.0000
```

tnd0	Newey-West				
	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]
_t	1.396186	.0312741	44.64	0.000	1.334378 1.457995
_x101	-45.53878	2.666226	-17.08	0.000	-50.80816 -40.26939
_x_t101	-3.168016	.0574641	-55.13	0.000	-3.281585 -3.054447
_cons	55.98607	1.079805	51.85	0.000	53.852 58.12014

Componentes cíclicos



```
tsfilter hp cicl1 = Ycicl if t<=100, trend(tnd1)  
tsfilter hp cicl2 = Ycicl if t> 100, trend(tnd2)
```

Componentes cíclicos

```
. reg tnd1 _t
```

Source	SS	df	MS	Number of obs	=	100
Model	180332.262	1	180332.262	F(1, 98)	=	52529.60
Residual	336.430534	98	3.43296463	Prob > F	=	0.0000
Total	180668.692	99	1824.93629	R-squared	=	0.9981
				Adj R-squared	=	0.9981
				Root MSE	=	1.8528

tnd1	Coef.	Std. Err.	t	P> t	[95% Conf. Interval]	
_t	1.471123	.0064187	229.19	0.000	1.458386	1.483861
_cons	53.48942	.3678032	145.43	0.000	52.75952	54.21931

```
gen t1 = predict tndplus,xb  
replace tnd=tnd2 if tnd1==.
```

```
reg tnd1 _t  
predict tndplus,xb  
gen impa2=tnd - tndplus
```

Componentes cíclicos

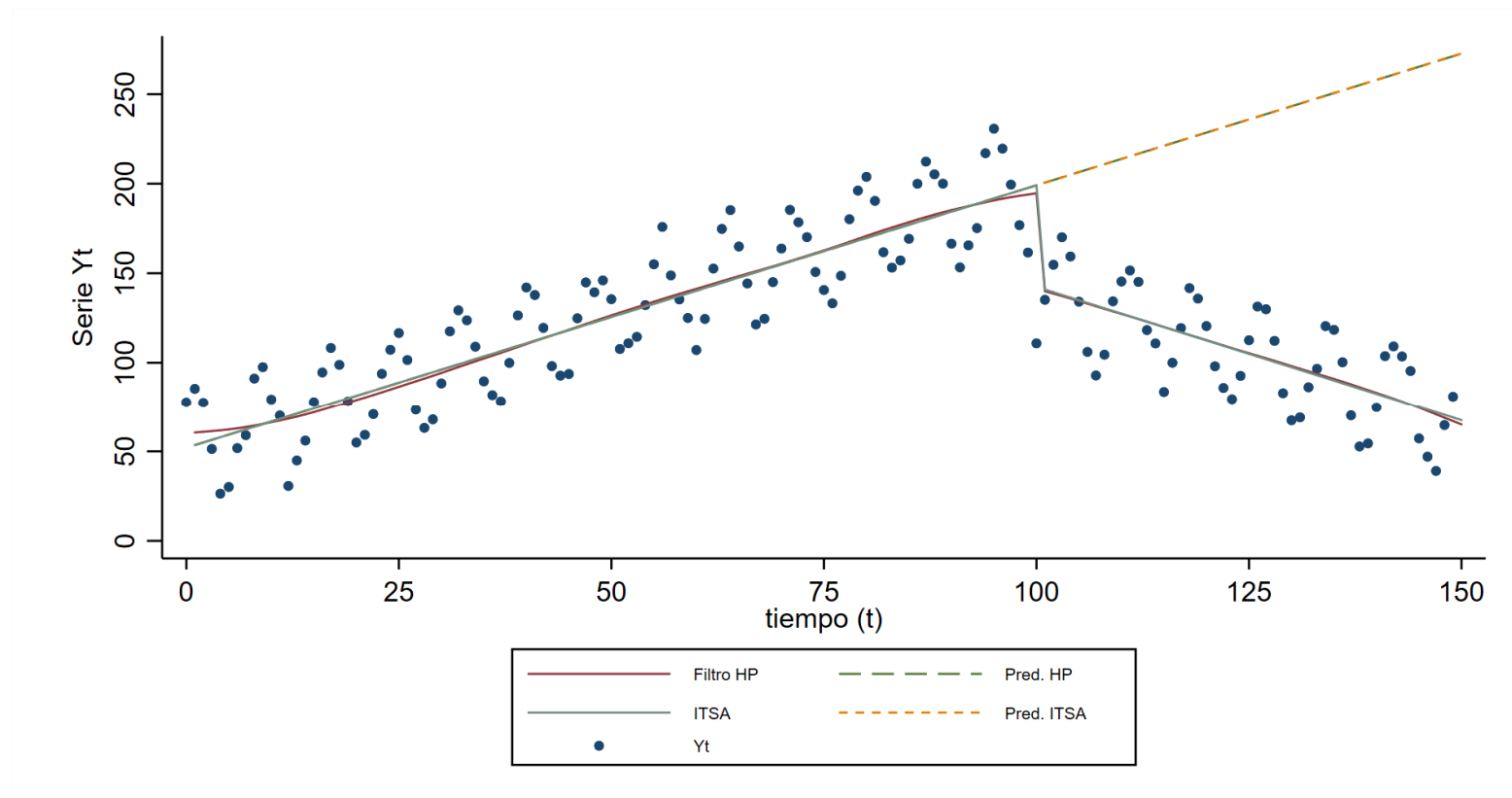
```
. itsa tnd, trperiod(101) posttrend replace ///  
>     figure(tit("Modelo ITSA en la tendencia del filtro HP", ///  
>             size(medium) graphregion(color(white)) name(itsa_y2, replace) ///  
>             ytit("Serie Yt")          ylabel(0(50)250,nogrid) ///  
>             xtit("tiempo (t)")        xlabel(0(25)150,nogrid))
```

```
time variable: t, 1 to 150  
delta: 1 unit
```

```
Regression with Newey-West standard errors      Number of obs      =      150  
maximum lag: 0                                F( 3, 146)         =    22578.95  
                                                Prob > F           =      0.0000
```

tnd	Newey-West			P> t	[95% Conf. Interval]	
	Coef.	Std. Err.	t			
_t	1.471123	.0090613	162.35	0.000	1.453215	1.489031
_x101	-59.67016	.4495644	-132.73	0.000	-60.55865	-58.78166
_x_t101	-2.96912	.0135411	-219.27	0.000	-2.995882	-2.942358
_cons	53.48942	.5591026	95.67	0.000	52.38444	54.5944

Componentes cíclicos



MODELOS *AR*(p)

Modelos auto-regresivos de orden p

Modelo $AR(p)$

$$y_t = \alpha + \varphi_1 \cdot y_{t-1} + \dots + \varphi_p \cdot y_{t-p} + \varepsilon_t$$

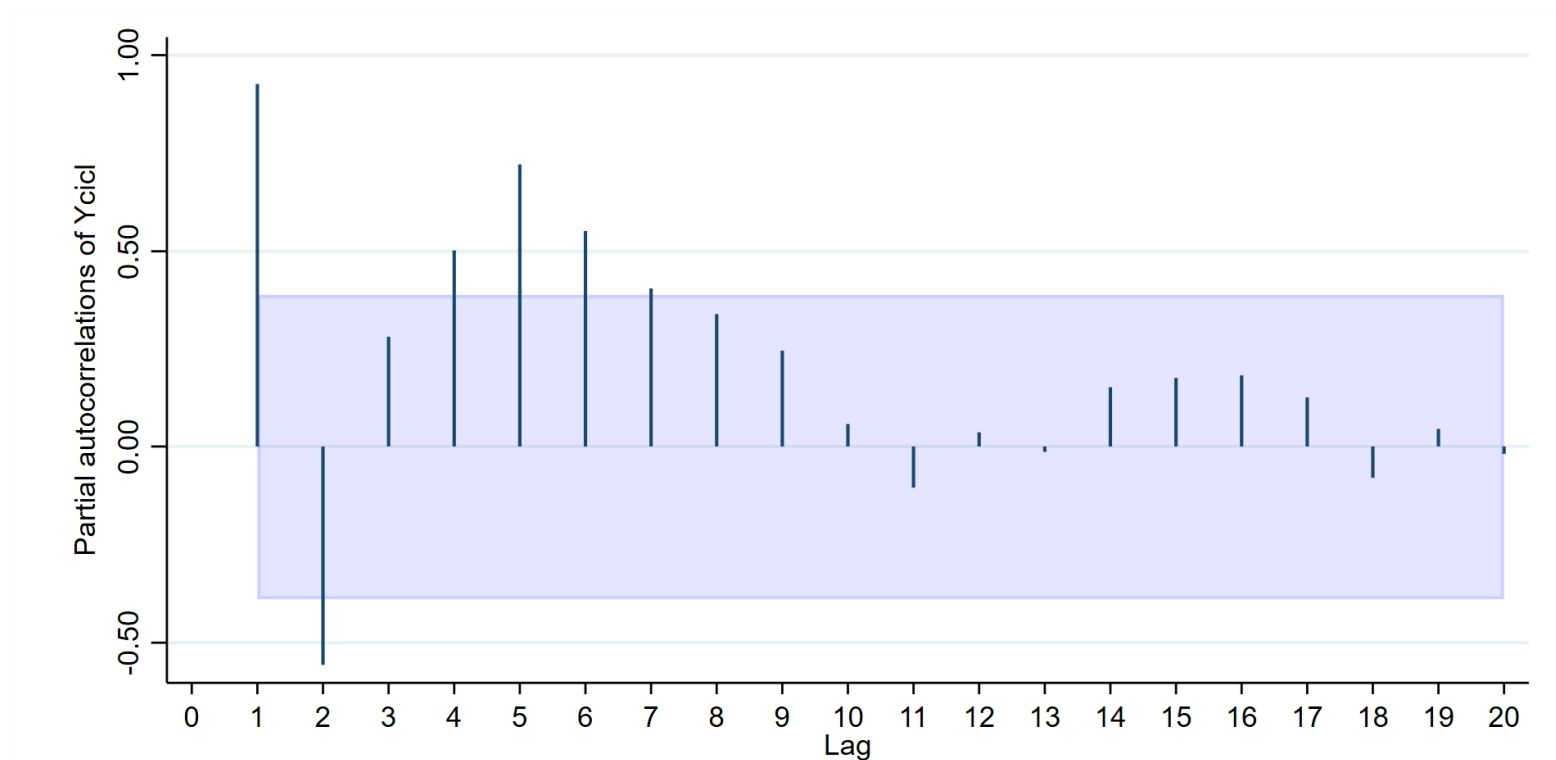
Donde:

- ε_t se denomina *ruido blanco puro*: ε_t es *i. i. d.*, y

$$\varepsilon_t \sim N(0, \sigma)$$

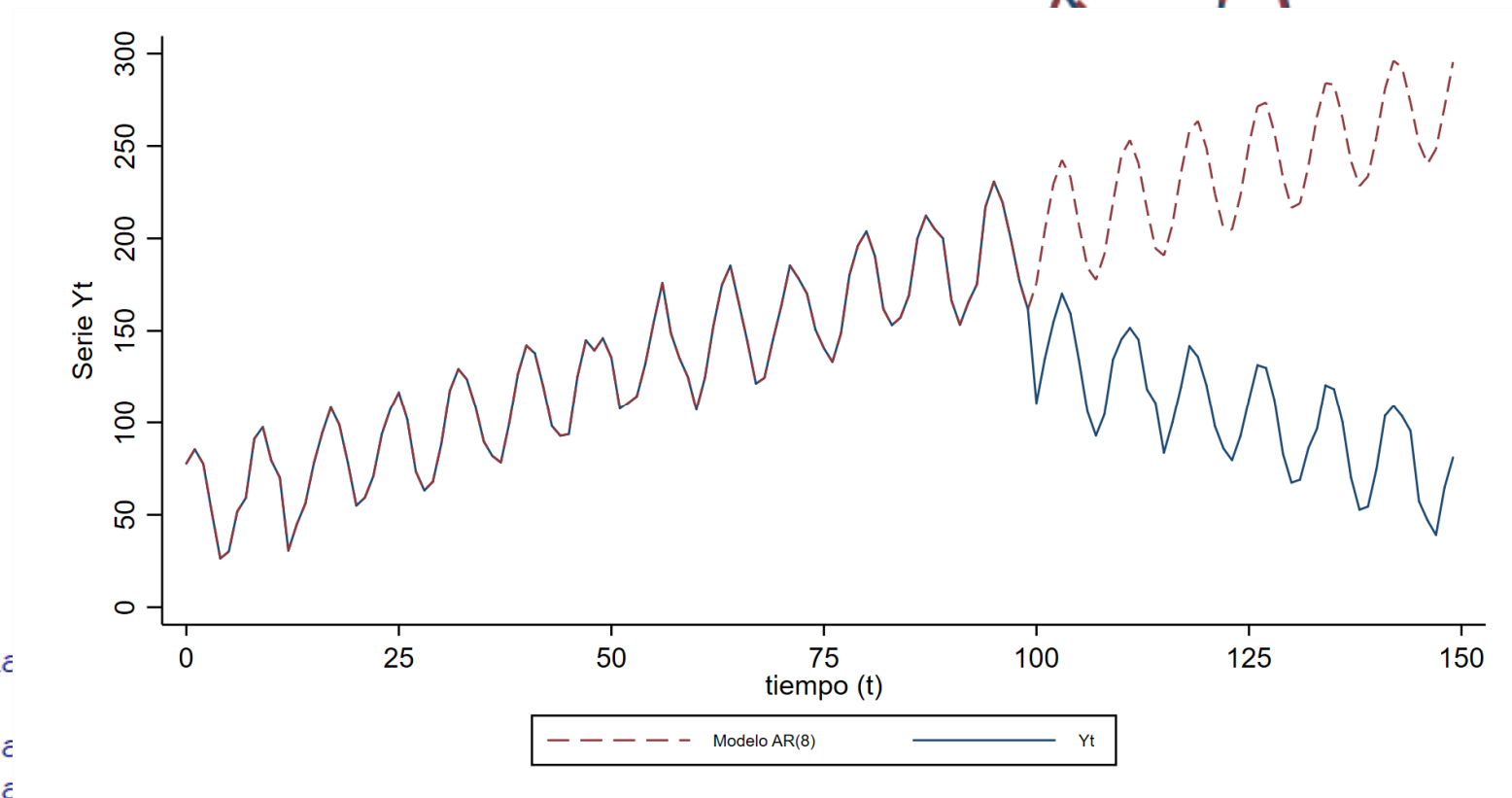
- Se asume que y_t sigue un *proceso estacionario*: la *corr*($y_t, y_{t-\tau}$) es solo una función de τ pero no de t .

Modelo $AR(p)$



```
pac Ycicl if t<=100, level(99.99) lag(20) ///  
name(spectrel, replace) graphregion(color(white)) ///  
xlabel(0(1)20,nogrid) m(none) ciopts(col(blue%10))  
graph export "$F\autocorrelación parcial.png", as(png)
```

Modelo $AR(n)$



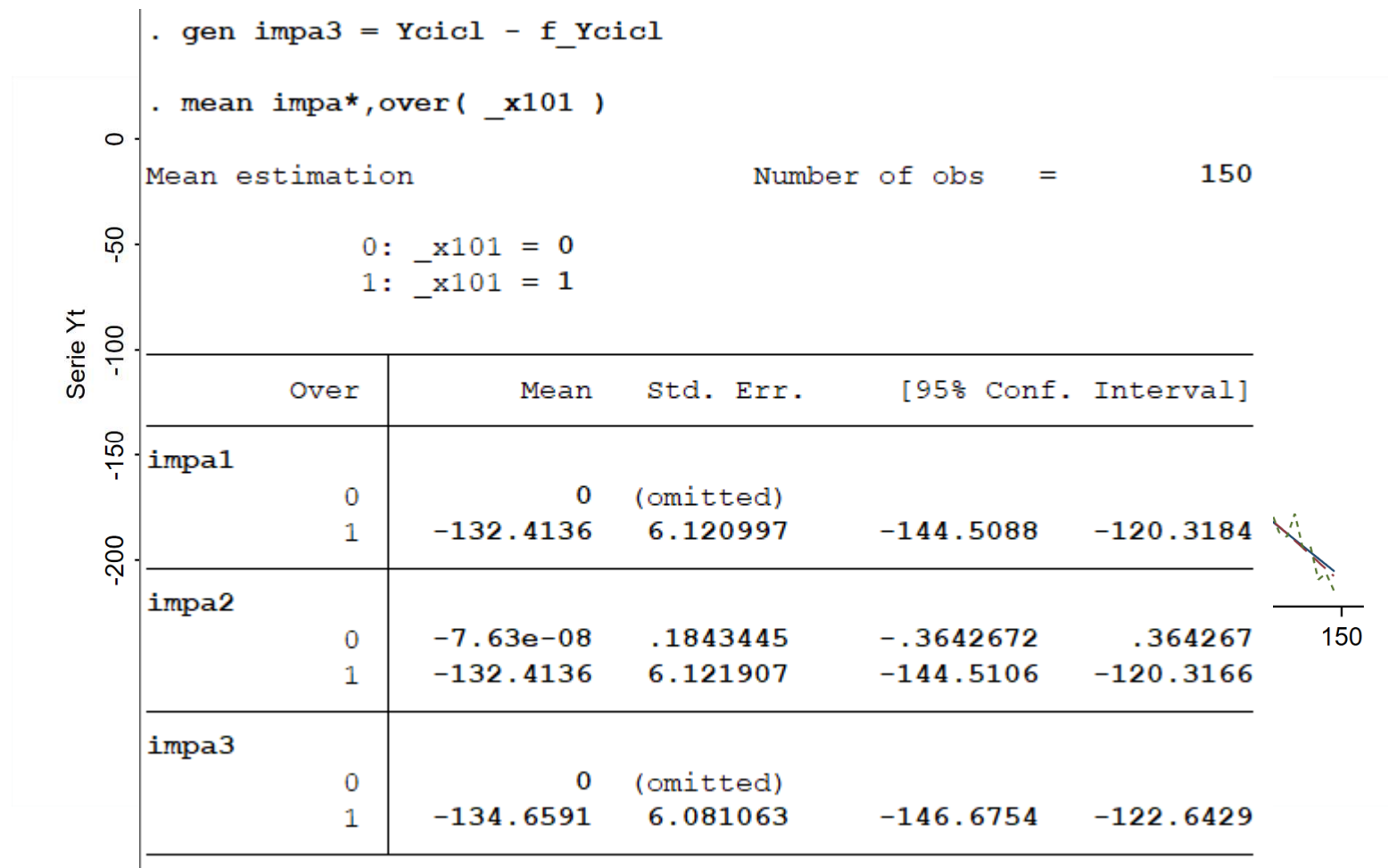
```
arima  
estima
```

```
foreca  
foreca  
forecast exogenous  $\bar{t}$   
forecast solve, begin(70) end(101) pre(p_)  
forecast solve, begin(100) end(149) pre(f_)
```

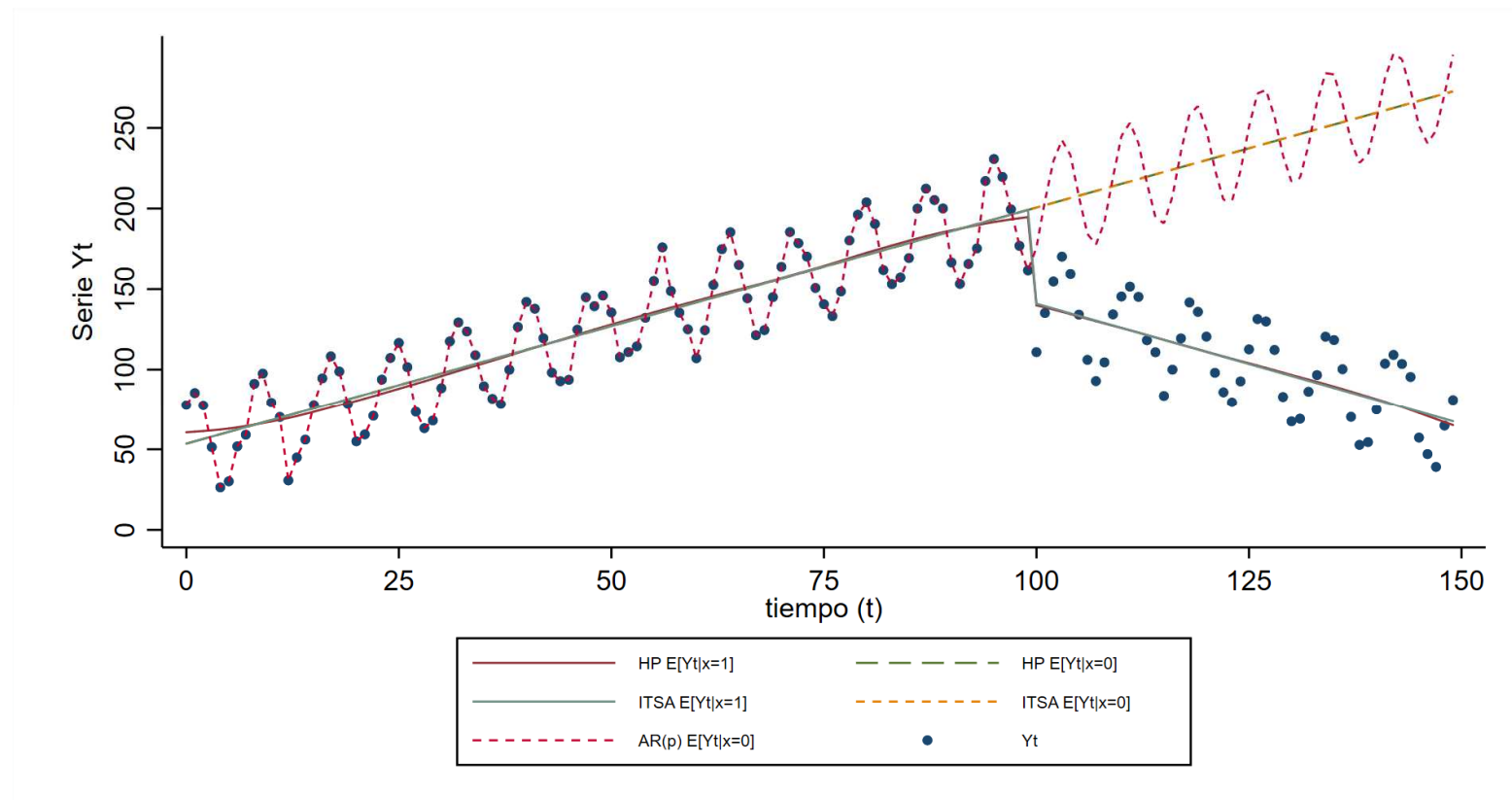
DISCUSIÓN

¿qué modelo usar?

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¡GRACIAS!

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