

## 平滑转换模型

王群勇（南开大学数量经济研究所，教授、博士生导师, QunyongWang@outlook.com）

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### 内容

#### 平滑转换模型

Stata 指令: `stregress` 与 `xtstregress`

应用

### 平滑转换模型

$$y_t = x_t\beta + G(s_t; c, \gamma)z_t\alpha + \epsilon_t.$$

条件期望  $E(y_t|x_t)$  包括两部分:

- 线性部分  $x_t\beta$ ,
- 非线性部分  $G(s_t; c, \gamma)z_t\alpha$ .

$x_t$  与  $z_t$  可以相同, 也可以不同。

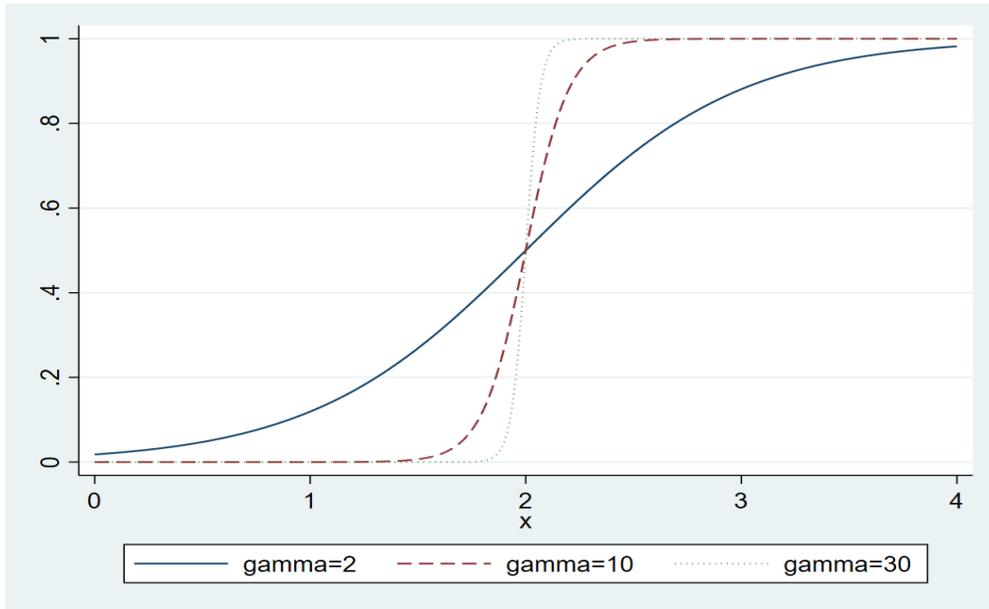
### 模型设定

$G(s_t; c, \gamma)$  为平滑函数, 常见的包括: logistic, normal, and exponential

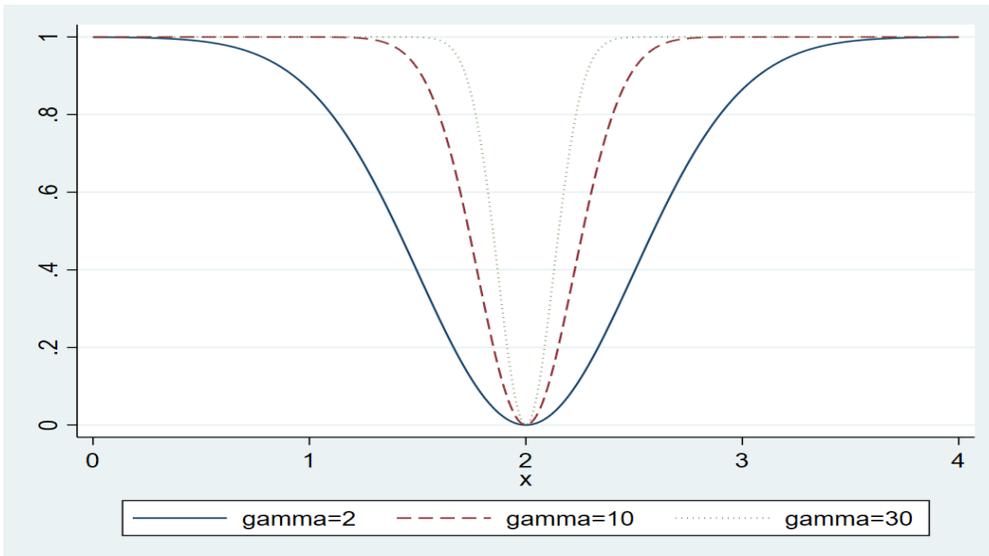
$$G(s_t; c, \gamma) = \begin{cases} [1 + \exp(-\gamma(s_t - c))]^{-1} & \text{Logistic, or LSTR} \\ 1 - \exp(-\gamma(s_t - c)^2) & \text{Exponential, or ESTR} \\ \Phi(\gamma(s_t - c)) & \text{Normal CDF} \end{cases}$$

其中,  $\gamma > 0$ , 控制转换的速度。

### 模型设定



## 模型设定



## 边际效应

设  $x_t = z_t$ , 那么  $x_t$  对  $E(y_t|x_t)$  的边际效应:  $\beta + G(s_t; c, \gamma)\alpha$ .

$0 \leq G(s_t; c, \gamma) \leq 1$ , 两种极端状态下的边际效应为  $\beta$  和  $\beta + \alpha$ 。

LSTR and NSTR:

- 当  $s_t \rightarrow -\infty$ ,  $G(s_t; c, \gamma) \rightarrow 0$ , 边际效应为  $\beta$ ;
- 当  $s_t \rightarrow \infty$ ,  $G(s_t; c, \gamma) \rightarrow 1$ , 边际效应为  $\beta + \alpha$ .
- 随着  $s_t$  的增加, 边际效应从  $\beta$  过渡到  $\beta + \alpha$ , 中心点为  $c$  (边际效应为  $\beta + \alpha/2$ )。

## 边际效应

ESTR:

- 当  $s_t \rightarrow c$ ,  $G(s_t; c, \gamma) \rightarrow 0$ , 边际效应为  $\beta$ .
- 当  $s_t \rightarrow -\infty$  或  $s_t \rightarrow \infty$ ,  $G(s_t; c, \gamma) \rightarrow 1$ , 边际效应为  $\beta + \alpha$ .

## 转换速度

当  $\gamma \rightarrow \infty$ ,  $G(s_t; c, \gamma)$  变为示性函数。

$$G(s_t; c, \gamma) = \begin{cases} 1 & s_t \geq c \\ 0 & s_t < c \end{cases}$$

模型退化为门限模型。

当  $\gamma \rightarrow 0$ , 模型退化为线性模型:

- $G(s_t; c, \gamma) \rightarrow 1/2$  in LSTR and NSTR model
- $G(s_t; c, \gamma) \rightarrow 0$  in ESTR model

## 多个状态

LSTR 模型的多个状态的情况

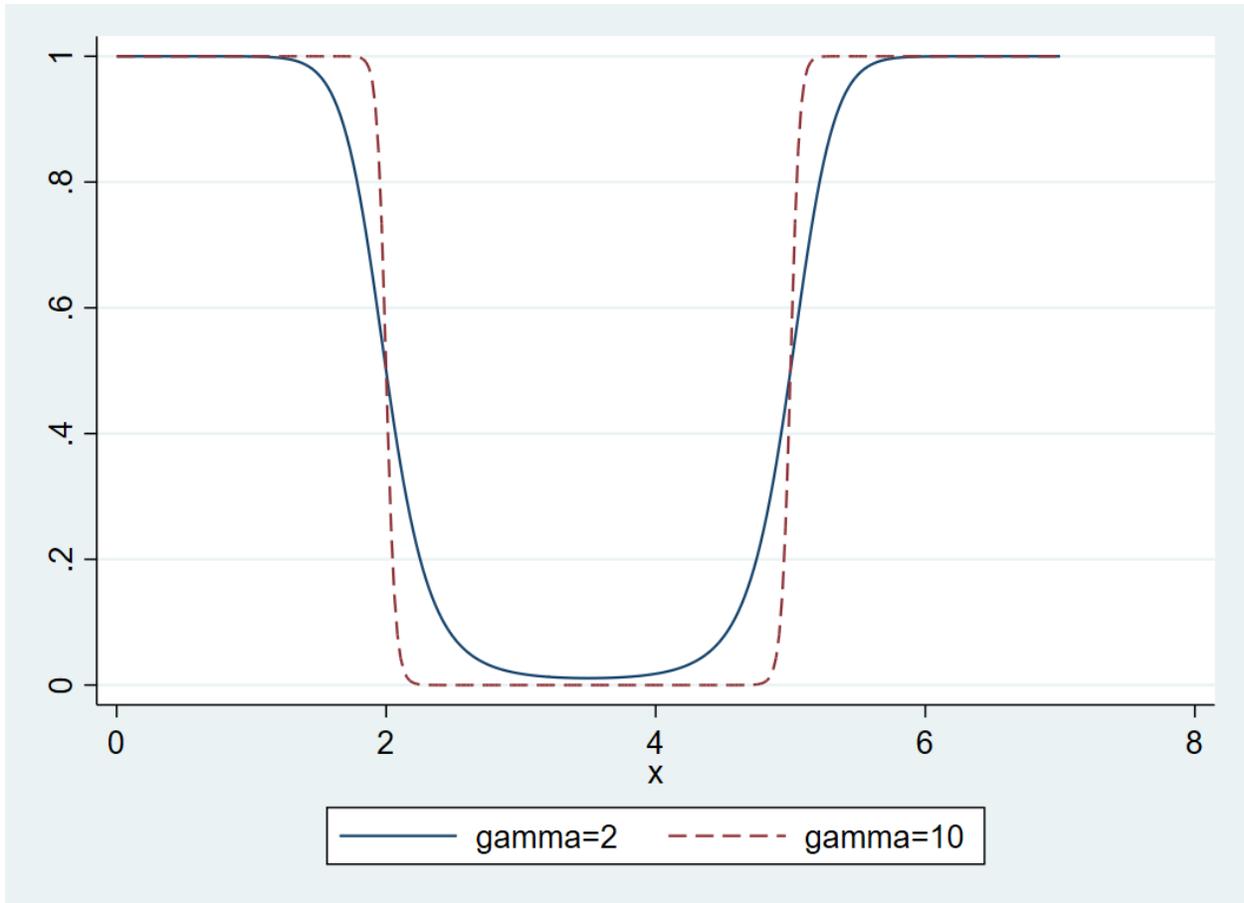
$$G(s_t; c, \gamma) = \left[ 1 + \exp \left( -\gamma \prod_{j=1}^m (s_t - c_j) \right) \right]^{-1},$$

绝大多数情况下,  $m = 1$  或者  $m = 2$ 。

$m = 2$  时, 转移函数以  $(c_1 + c_2)/2$  为中心点 (最低点) 呈对称形状。

当  $\gamma \rightarrow \infty$ , 模型变为三状态的门限模型。两端的状态是相同的, 中间是一种状态。

## 多个状态



## 模型估计

数值最优化方法。

初始值：

- 给定 $(c, \gamma)$ ，模型退化为线性模型，可以采用格点搜索法确定 $(c, \gamma)$ 的初始值。
- 需要将 $\gamma$ 标准化： $\gamma/\sigma_s^m$ 。或者将 $s_t$ 标准化。

## 非线性检验

$H_0: \gamma = 0$  or  $H_0: \alpha = 0$ .

由于冗余参数问题，检验统计量服从非标准分布。

令 $h_t = s_t - c$ ，对 $G(h_t; \gamma)$ 在 $h_t = 0$ 做 Taylor 级数展开，

$$G(h_t; \gamma) \approx G(0; \gamma) + G'(h_t; \gamma)h_t + G''(h_t; \gamma)h_t^2 + G'''(h_t; \gamma)h_t^3.$$

## 非线性检验

对于 LSTR 模型,

$$\begin{aligned} G'(h_t; \gamma) &= \frac{e^{-h_t}}{(1 + e^{-h_t})^2} = 1/4 \text{ at } h_t = 0 \\ G''(h_t; \gamma) &= \frac{-e^{-h_t}(1 - e^{-h_t})}{(1 + e^{-h_t})^3} = 0 \text{ at } h_t = 0 \\ G'''(h_t; \gamma) &= \frac{-e^{-h_t}(1 - 4e^{-h_t} + e^{-2h_t})}{(1 + e^{-h_t})^4} = -1/8 \text{ at } h_t = 0 \\ G(h_t; \gamma) &\approx h_t/4 - h_t^3/8. \end{aligned}$$

平滑转换模型可以写作

$$y_t = x_t\beta + z_t\alpha(s_t/4 - s_t^3/8) + u_t$$

## 非线性检验

对 $G(h_t; \gamma)$ 在 $h_t = 0$ 做 Taylor 级数展开, 对于 ESTR 模型,

$$\begin{aligned} G'(h_t; \gamma) &= 2h_t \exp(-h_t^2) = 0 \text{ at } h_t = 0 \\ G''(h_t; \gamma) &= 2 \exp(-h_t^2) - 4h_t^2 \exp(-h_t^2) = 2 \text{ at } h_t = 0 \\ G'''(h_t; \gamma) &= -12h_t \exp(-h_t^2) + 8h_t^3 \exp(h_t^2) = 0 \text{ at } h_t = 0 \\ G(s_t; \gamma, c) &\approx 2s_t^2. \end{aligned}$$

平滑转换模型可以写作

$$y_t = x_t\beta + z_t\alpha(2s_t^2) + u_t$$

对于 LSTR (m=2) 也可以得到相似的展开式。

## 非线性检验

Lin and Teräsvirta (1994)建议如下序贯检验步骤:

$$y_t = x_t\beta + z_t s_t \pi_1 + z_t s_t^2 \pi_2 + z_t s_t^3 \pi_3 + v_t.$$

- $H_{04}: \pi_1 = \pi_2 = \pi_3 = 0$
- $H_{03}: \pi_3 = 0$
- $H_{02}: \pi_2 = 0 | \pi_3 = 0$

- $H_{01}: \pi_1 = 0 | \pi_2 = \pi_3 = 0$

如果 $H_{02}$ 的检验的 p 值最低, 那么 ESTR 模型更适合。

如果 $H_{01}$ 或 $H_{03}$ 的检验的 p 值最低, 那么 LSTR 模型更适合。

## 模型选择

Escribano and Jorda (1999):

- $H_{024}: \pi_2 = \pi_4 = 0$
- $H_{013}: \pi_1 = \pi_3 = 0$

如果 $H_{024}$ 的检验统计的 p 值更低, 则采用 LSTR (m=2)或者 ESTR 模型。如果 $H_{013}$ 的检验统计的 p 值更低, 则采用 LSTR (m=1)模型。

## STAR 模型

在时间序列自回归模型中, 以某个滞后变量作为作为门限变量, 即得到了平滑转换自回归模型, 包括 LSTAR (Logistic Smoothing Transition AutoRegressive)、ESTAR (Exponential Smoothing Transition AutoRegressive)模型。

$$y_t = \beta_0 + \sum_{k=1}^K \beta_k y_{t-k} + G(y_{t-d}; c, \gamma) \sum_{k=1}^K \alpha_k y_{t-k} + \epsilon_t.$$

## 面板平滑转换模型

model:

$$y_{it} = c + x_{it}\beta + G(s_{it}; c, \gamma)z_{it}\alpha + u_i + \epsilon_{it}.$$

令 $sz(c, \gamma)_{it} = G(s_{it}; c, \gamma)z_{it}$

$$y_{it} - \bar{y}_i = (x_{it} - \bar{x}_i)\beta + (sz_{it} - \overline{sz(c, \gamma)_{it}})\alpha + \epsilon_{it} - \bar{\epsilon}_i.$$

## 内容

平滑转换模型

stregress 与 xtstregress

应用

## 语法

$$y_t = x_t\beta + G(s_t; c, \gamma)z_t\alpha + \epsilon_t.$$

`stregress depvar indep [if] [in] , [lstr(spec) estr(spec) nstr(spec) nolog options]`

`lstr, estr, nstr` 可以重复设定。

`spec` 的格式: *transition, regime-dependents, [constant, number of states]*

- *constant* 为 0 (*z*) 中是否含有常数项 (0 或 1)
- *number of states*: 默认值为 1

`xtstregress depvar indep [if] [in] , [lstr(spec) estr(spec) [nstr(spec) nolog options]`

## 语法

`estat linear`

`estat reslinear`

`estat pconst`

`estat stplot`

`estat ic`

`estat summ`

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## 内容

平滑转换模型

`stregress` 与 `xtstregress`

应用

## 非对称的货币政策

Taylor 规则 (Enders, 2015, p436):

$$i_t = \alpha_0 + \alpha\pi_t + \beta y_t + \gamma_1 i_{t-1} + \epsilon_t$$

其中,  $i_t$  为名义利率,  $\pi_t$  为通胀率,  $y_t$  为产出缺口 (实际产出距离潜在产出的百分比)。

在高通胀或低增长时, 货币政策的反应强度可能更大。估计如下模型:

$$i_t = \alpha_0 + \gamma_1 i_{t-1} + x_{t-1} \beta + G(\pi_{t-1}; \gamma, c) z_{t-1} \alpha + \epsilon_t$$

## 泰勒规则

```
. use taylor, clear
```

```
. stregress ffr l.ffr l.pi l.ygap, lstr(l.pi, l.pi l.ygap,1) nolog
```

Smoothing transition regression (lstr)

```
log-likelihood = -148.8880      Number of obs = 113
AIC = 313.7759                R-squared = 0.9398
BIC = 335.5950                Adj R-squared = 0.9352
HQIC = 322.6299               Root MSE = 0.9403
```

	ffr	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
<b>Linear</b>						
	ffr					
	L1.	0.7750	0.0439	17.67	0.000	0.6890 0.8609
	pi					
	L1.	-0.1767	0.3533	-0.50	0.617	-0.8693 0.5158
	ygap					
	L1.	0.4346	0.1412	3.08	0.002	0.1578 0.7113
	_cons	1.1327	0.7372	1.54	0.124	-0.3123 2.5777
<b>L.pi</b>						
	pi					
	L1.	0.6104	0.3709	1.65	0.100	-0.1165 1.3372
	ygap					
	L1.	-0.2282	0.1616	-1.41	0.158	-0.5450 0.0885
	_cons	-1.0977	0.7782	-1.41	0.158	-2.6228 0.4275
	threshold1	2.4867	0.0456	54.56	0.000	2.3974 2.5761
	lgamma	4.4934	6.9501	0.65	0.518	-9.1285 18.1154

```
. est store spi
```

## 泰勒规则

```
. stregress ffr l.ffr l.pi l.ygap, lstr(l.ygap, l.pi l.ygap,1) nolog
```

Smoothing transition regression (lstr)

```
log-likelihood = -145.3470      Number of obs = 113
AIC = 306.6940                R-squared = 0.9434
BIC = 328.5131                Adj R-squared = 0.9391
HQIC = 315.5480              Root MSE = 0.9113
```

	ffr	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
Linear							
	ffr						
	L1.	0.8194	0.0410	19.96	0.000	0.7390	0.8998
	pi						
	L1.	0.3721	0.1214	3.06	0.002	0.1341	0.6100
	ygap						
	L1.	-1.2190	0.4649	-2.62	0.009	-2.1302	-0.3077
	_cons	-4.1373	1.1827	-3.50	0.000	-6.4554	-1.8192
L.ygap							
	pi						
	L1.	0.0112	0.1121	0.10	0.920	-0.2084	0.2309
	ygap						
	L1.	1.4083	0.4720	2.98	0.003	0.4832	2.3333
	_cons	4.1074	1.1957	3.44	0.001	1.7639	6.4509
	threshold1	-1.6536	0.1714	-9.65	0.000	-1.9895	-1.3176
	lgamma	3.7723	3.0053	1.26	0.209	-2.1181	9.6627

```
. est store sygap
```

## 泰勒规则

```
. est table spi sygap, stat(N aic bic) star(.1 .05 .01) eq(1,2)
```

---

Variable	spi	sygap
#1		
ffr		
L1.	.77498173***	.81939891***
pi		
L1.	-.17672544	.3720814***
ygap		
L1.	.43456372***	-1.2189682***
_cons	1.1326753	-4.1373013***
#2		
pi		
L1.	.61038749*	.01124651
ygap		
L1.	-.22821481	1.4082912***
_cons	-1.0976931	4.107365***
threshold1	2.4867259***	-1.6535736***
lgamma	4.493442	3.7722966
Statistics		
N	113	113
aic	315.7759	308.69403
bic	340.32239	333.24052

Legend: \* p<.1; \*\* p<.05; \*\*\* p<.01

## 泰勒规则

. estat linear

Linearity (homogeneity) test for all nonlinear parts:

Ho	chi2	df1	df2	prob
b1=0	1.6483	2	107	.1972
b1=b2=0	1.2192	4	105	.3071
b1=b2=b3=0	1.6241	6	103	.1479
b1=b2=b3=b4=0	1.6473	8	101	.1208

Escribano-Jorda linearity **test** (based on 4th Taylor expansion):

Ho	chi2	df1	df2	prob
b1=b3=0(HoL)	1.1760	4	101	.3259
b2=b4=0(HoE)	1.2574	4	101	.2918

Note: HoL against LSTR, HoE against ESTR

Terasvirta sequential **test**:

Ho	chi2	df1	df2	prob
b1=0   b2=b3=0	1.6483	2	107	.1972
b2=0   b3=0	0.7965	2	105	.4536
b3=0	2.3702	2	103	.09854

## 泰勒规则

. **estat** reslinear, **l.pi**

Linearity (homogeneity) **test for all** nonlinear parts:

Ho	chi2	df1	df2	prob
b1=0	0.3559	3	107	.7849
b1=b2=0	0.3121	5	105	.9047
b1=b2=b3=0	1.4461	7	103	.1951
b1=b2=b3=b4=0	1.5648	9	101	.136

Escribano-Jorda linearity **test** (based on 4th Taylor expansion):

Ho	chi2	df1	df2	prob
b1=b3=0(HoL)	2.0869	6	101	.06122
b2=b4=0(HoE)	2.1948	6	101	.0495

Note: HoL against LSTR, HoE against ESTR

Terasvirta sequential **test**:

Ho	chi2	df1	df2	prob
b1=0   b2=b3=0	0.3559	3	107	.7849
b2=0   b3=0	0.3749	3	105	.7713
b3=0	2.9986	3	103	.03408

## 泰勒规则

```
. est restore sygap
(results sygap are active now)
```

```
. lincom [#1]_b[l.pi]+[#2]_b[l.pi]
```

( 1) [Linear]L.pi + [L.ygap]L.pi = 0

ffr	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	0.3833	0.0843	4.55	0.000	0.2181	0.5486

```
. lincom [#1]_b[l.ygap]+[#2]_b[l.ygap]
```

( 1) [Linear]L.ygap + [L.ygap]L.ygap = 0

ffr	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
(1)	0.1893	0.0929	2.04	0.041	0.0073	0.3713

## 泰勒规则

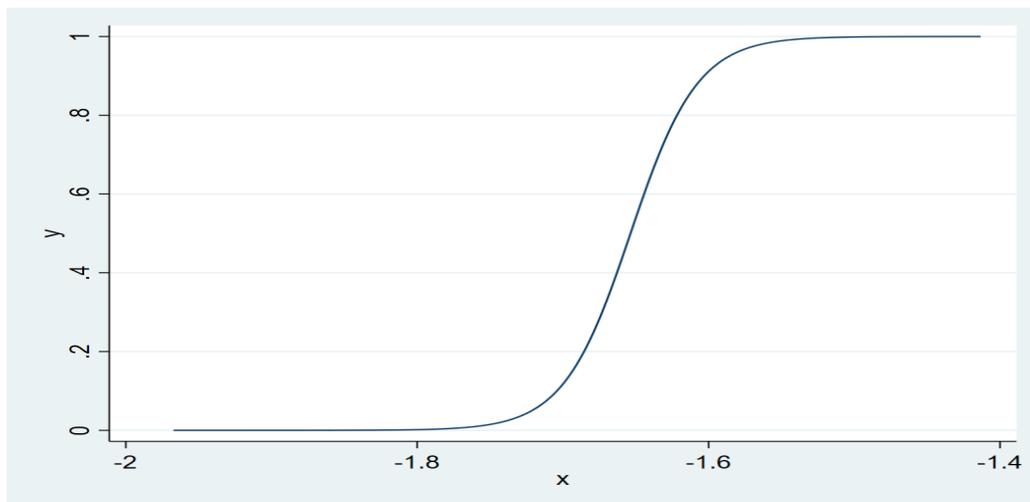
```
. estat stcoef
```

Transformed coefficient confidence interval (level=95):

		Coef	se	z	P> z	CI Lower	CI Upper
L.ygap	<b>gamma</b>	43.4798	130.6720	0.33	0.7393	-212.6326	299.5922

## 例子

```
. estat stplot
```



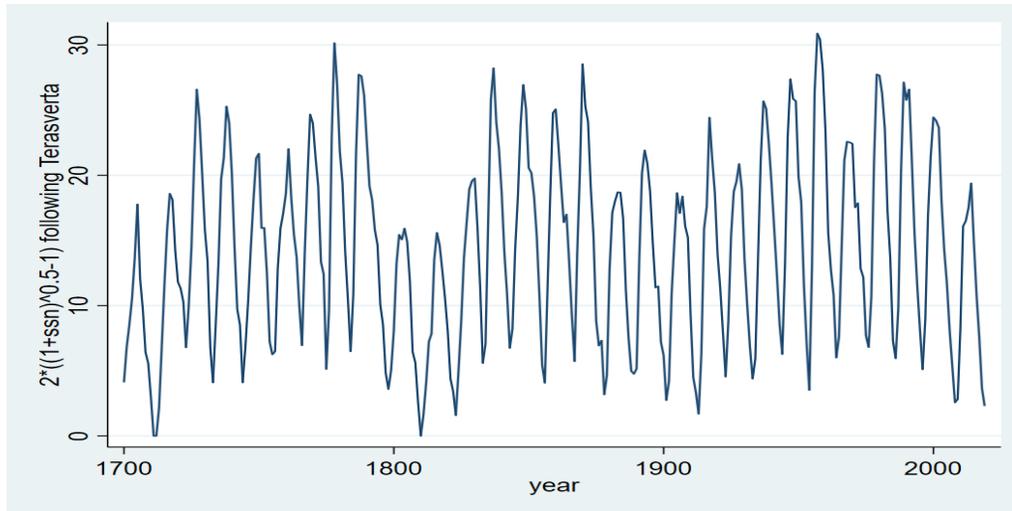
*smooth transition plot*

## sunspot

根据 Ghaddar and Tong (1981),  $y_t = 2[(1 + x_t)^{1/2} - 1]$ ,

```
. use sunspot, clear
```

```
. tsline y
```



*sunspot*

## sunspot

```
. frame reset  
  
. use sunspot, clear  
  
. frame create sim aic bic  
  
. forvalues i=1/12 {  
2. qui arima y, ar(1/`i')  
3. qui estat ic  
4. matrix ic = r(S)  
5. local aic=el(ic,1,5)  
6. local bic=el(ic,1,6)  
7. frame post sim (`aic') (`bic')  
8. }  
  
. frame sim: list aic bic
```

	aic	bic
1.	1811.399	1822.704
2.	1588.852	1603.925
3.	1586.573	1605.415
4.	1588.544	1611.154
5.	1589.92	1616.298
6.	1579.446	1609.593
7.	1565.558	1599.473

8.	1558.999	1596.682
9.	1530.128	1571.579
10.	1531.946	1577.166
11.	1533.887	1582.875
12.	1535.541	1588.297

## sunspot

```
. stregress y l(1/9).y, lstr(l2.y, l(1/9).y, 1) nolog
```

Smoothing transition regression (lstr)

log-likelihood	=	-699.3807	Number of obs	=	311
AIC	=	1440.7614	R-squared	=	0.8999
BIC	=	1519.2971	Adj R-squared	=	0.8927
HQIC	=	1472.1532	Root MSE	=	2.3756

	y	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]
Linear						
	y					
	L1.	1.5063	0.1145	13.15	0.000	1.2819 1.7307
	L2.	-1.0784	0.3170	-3.40	0.001	-1.6997 -0.4570
	L3.	0.1443	0.2993	0.48	0.630	-0.4424 0.7309
	L4.	-0.5632	0.2680	-2.10	0.036	-1.0885 -0.0380
	L5.	0.4776	0.2673	1.79	0.074	-0.0464 1.0015
	L6.	0.0370	0.2274	0.16	0.871	-0.4086 0.4827
	L7.	0.1734	0.2274	0.76	0.446	-0.2723 0.6191
	L8.	0.1027	0.2291	0.45	0.654	-0.3465 0.5518
	L9.	0.1390	0.1248	1.11	0.265	-0.1056 0.3835
	_cons	-3.9351	1.5248	-2.58	0.010	-6.9236 -0.9465
L2.y						
	y					
	L1.	-0.4495	0.1280	-3.51	0.000	-0.7004 -0.1985
	L2.	0.8574	0.3295	2.60	0.009	0.2117 1.5032
	L3.	-0.4732	0.3188	-1.48	0.138	-1.0981 0.1517
	L4.	0.8559	0.2819	3.04	0.002	0.3033 1.4084
	L5.	-0.7475	0.2820	-2.65	0.008	-1.3002 -0.1948
	L6.	-0.0173	0.2447	-0.07	0.944	-0.4969 0.4623
	L7.	0.0031	0.2454	0.01	0.990	-0.4779 0.4841
	L8.	-0.3929	0.2445	-1.61	0.108	-0.8721 0.0863
	L9.	0.1729	0.1362	1.27	0.204	-0.0941 0.4400

<code>_cons</code>	7.5126	1.7000	4.42	0.000	4.1806	10.8446
<code>threshold1</code>	6.7660	0.0388	174.47	0.000	6.6900	6.8420
<code>lngamma</code>	4.1741	1.5604	2.67	0.007	1.1157	7.2325

## sunspot

`. estat linear`

Linearity (homogeneity) **test for all** nonlinear parts:

Ho	chi2	df1	df2	prob
b1=0	5.9791	9	292	1.091e-07
b1=b2=0	4.2127	18	283	6.578e-08
b1=b2=b3=0	3.0344	27	274	2.221e-06
b1=b2=b3=b4=0	2.5701	36	265	9.624e-06

Escribano-Jorda linearity **test** (based on 4th Taylor expansion):

Ho	chi2	df1	df2	prob
b1=b3=0(HoL)	1.2790	18	265	.201
b2=b4=0(HoE)	0.9487	18	265	.5201

Note: HoL against LSTR, HoE against ESTR

Terasvirta sequential **test**:

Ho	chi2	df1	df2	prob
b1=0   b2=b3=0	5.9791	9	292	1.091e-07
b2=0   b3=0	2.2213	9	283	.02087
b3=0	0.7459	9	274	.6666

## sunspot

. estat reslinear, l2.y

Linearity (homegeneity) test for all nonlinear parts:

Ho	chi2	df1	df2	prob
b1=0	1.4058	10	292	.1768
b1=b2=0	1.1394	19	283	.3109
b1=b2=b3=0	1.1415	28	274	.2894
b1=b2=b3=b4=0	1.1091	37	265	.3141

Escribano-Jorda linearity test (based on 4th Taylor expansion):

Ho	chi2	df1	df2	prob
b1=b3=0(HoL)	1.0028	20	265	.4591
b2=b4=0(HoE)	0.9804	20	265	.4864

Note: HoL against LSTR, HoE against ESTR

Terasvirta sequential test:

Ho	chi2	df1	df2	prob
b1=0 b2=b3=0	1.4058	10	292	.1768
b2=0 b3=0	0.7830	10	283	.6452
b3=0	1.0232	10	274	.4239

## sunspot

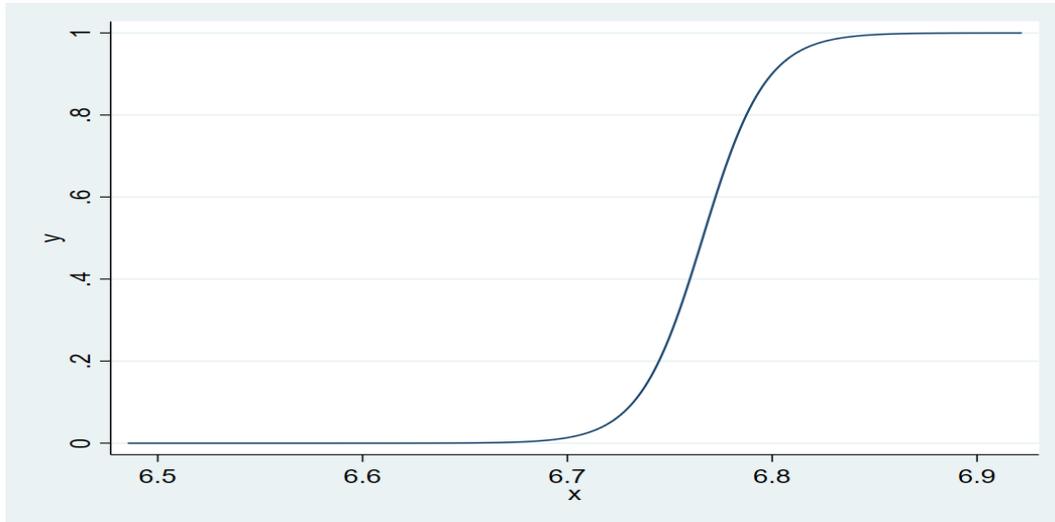
. estat stcoef

Transformed coefficient confidence interval (level=95):

	Coef	se	z	P> z	CI Lower	CI Upper
L2.y gamma	64.9784	101.3946	0.64	0.5216	-133.7514	263.7082

## sunspot

```
. estat stplot
```



*smooth transition plot*

## 面板平滑转换

```
. use hansen1999, clear
(The Value and Performance of U.S. Corporations (B.H.Hall & R.E.Hall, 1993))
```

```
. xtstregress i c1 q1 q2 q3 d1 qd1, estr(d1, c1) nolog
Grid search initial values with range: 1 = ( .0063 , .4719 ) .....
```

Smoothing transition regression (estr)

```
log-likelihood =      12896.8579      Number of obs =      7910
AIC            =      -25775.7157      R2-within      =      0.0961
BIC            =      -25712.9328      R2-between    =      0.0549
HQIC          =      -25754.2140      R2-overall    =      0.0570
```

	i	Coef.	Std. Err.	z	P> z	[95% Conf. Interval]	
Linear							
	c1	0.0853	0.0076	11.28	0.000	0.0705	0.1001

q1	0.0103	0.0009	11.53	0.000	0.0086	0.0121
q2	-0.0214	0.0026	-8.37	0.000	-0.0264	-0.0164
q3	0.0012	0.0002	6.08	0.000	0.0008	0.0016
d1	-0.0153	0.0048	-3.18	0.001	-0.0247	-0.0059
qd1	0.0028	0.0014	1.96	0.050	0.0000	0.0056
<b>_cons</b>	0.0612	0.0011	56.29	0.000	0.0591	0.0634
<hr/>						
d1						
c1	-0.2770	0.0674	-4.11	0.000	-0.4091	-0.1449
threshold1	0.5186	0.1458	3.56	0.000	0.2329	0.8044
lngamma	-1.7627	0.4668	-3.78	0.000	-2.6777	-0.8477

`. est store estr`

## 面板平滑转换

`. est restore estr`  
(results estr are active now)

`. estat linear`

Linearity (homogeneity) **test for all** nonlinear parts:

Ho	F	df1	df2	prob
b1=0	23.4854	2	7338	6.807e-11
b1=b2=0	18.1613	4	7336	7.425e-15
b1=b2=b3=0	19.9988	6	7334	2.574e-23
b1=b2=b3=b4=0	15.4907	8	7332	8.185e-23

Escribano-Jorda linearity **test** (based on 4th Taylor expansion):

Ho	F	df1	df2	prob
b1=b3=0(HoL)	16.5654	4	7332	1.605e-13
b2=b4=0(HoE)	16.1777	4	7332	3.383e-13

Note: HoL against LSTR, HoE against ESTR

Terasvirta sequential **test**:

Ho	F	df1	df2	prob
b1=0   b2=b3=0	23.4854	2	7338	6.807e-11
b2=0   b3=0	12.7619	2	7336	2.932e-06
b3=0	23.4515	2	7334	7.040e-11

## 面板平滑转换

. estat reslinear

Linearity (homogeneity) test for all nonlinear parts:

Ho	F	df1	df2	prob
b1=0	0.0085	1	7338	.9265
b1=b2=0	0.0047	2	7337	.9953
b1=b2=b3=0	0.0798	3	7336	.971
b1=b2=b3=b4=0	0.0599	4	7335	.9934

Escribano-Jorda linearity test (based on 4th Taylor expansion):

Ho	F	df1	df2	prob
b1=b3=0(HoL)	0.0605	2	7335	.9413
b2=b4=0(HoE)	0.1070	2	7335	.8985

Note: HoL against LSTR, HoE against ESTR

Terasvirta sequential test:

Ho	F	df1	df2	prob
b1=0   b2=b3=0	0.0085	1	7338	.9265
b2=0   b3=0	0.0008	1	7337	.977
b3=0	0.2302	1	7336	.6314

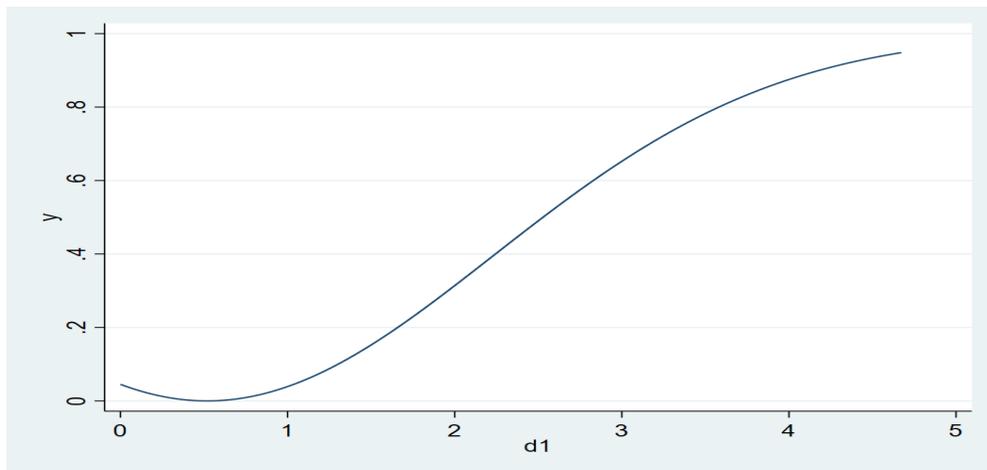
## 面板平滑转换

```
. estat stcoef
```

Transformed coefficient confidence interval (level=95):

		Coef	se	z	P> z	CI Lower	CI Upper
d1	<b>gamma</b>	0.1716	0.0801	2.14	0.0322	0.0146	0.3286

```
. estat stplot
```



*smooth transition plot*

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