

# Count model selection and post-estimation to evaluate composite flour technology adoption in Senegal-West Africa

## Presented by

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The logo for the University of New England (UNE) consists of the lowercase letters 'une' in a bold, green, sans-serif font. Below this, the full name 'University of New England' is written in a smaller, white, sans-serif font on a black background.

1. Background
2. Research Objectives & Questions
3. Materials & Methods
4. Results & Discussion
5. Implications
6. Way-forward
7. Acknowledgements



# 1. Background

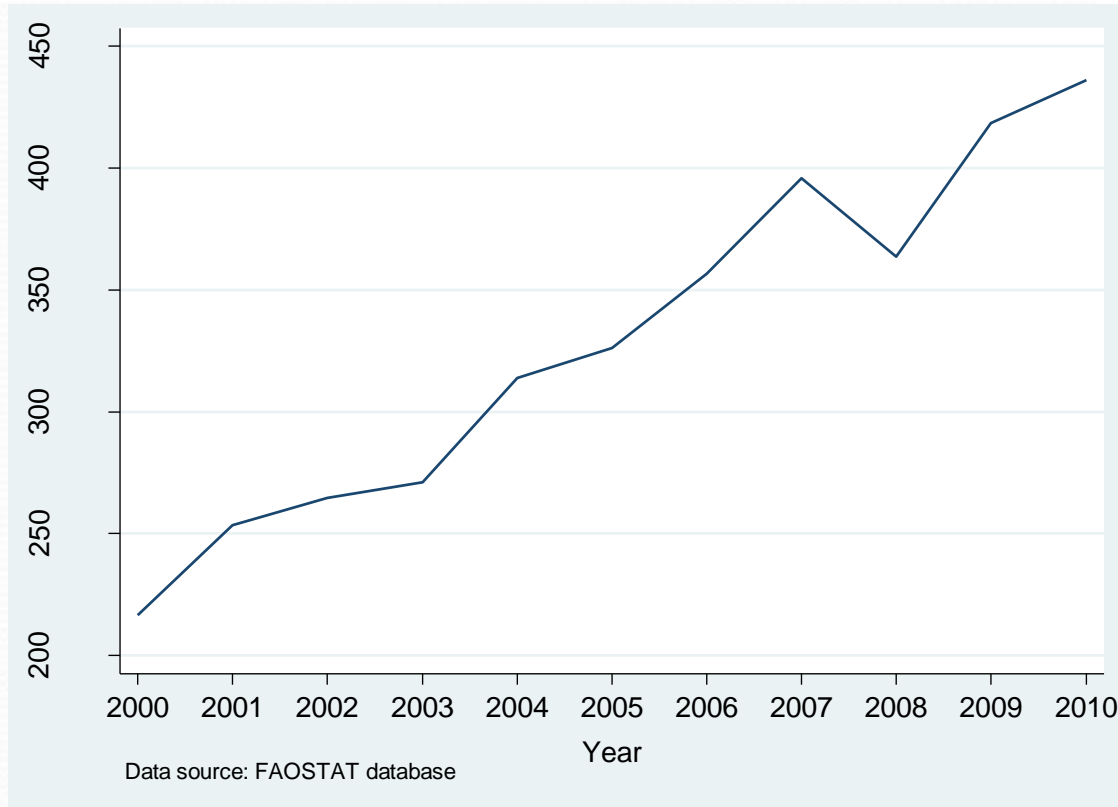


Bread introduced in early 1900s

3 million loaves of bread produced daily

15 million population

# 1. Background



**Trend in value of wheat imports in Senegal (nominal prices)**



+



# 1. Background



**WAAPP / PPAO**  
WEST AFRICA AGRICULTURAL PRODUCTIVITY PROGRAMME  
PROGRAMME DE PRODUCTIVITE AGRICOLE EN AFRIQUE DE L'OUEST

## 2. Research Objective and Questions

### Research Objective

Identify drivers and impediments to composite flour adoption to enable decision making towards limiting dependence on wheat imports.



### Research Questions

1. What is the current rate of adoption of the composite flour technology?
2. What are the factors influencing the bakers' decisions to adopt composite flour and the quantities used?
3. Do the 80 kg mixers provided, the training programs and membership of FNBS influence both decisions positively?



Mixed-Method Approach  
April to August 2014

### Qualitative

- Desk review (CORAF)
- 3 key informant interviews



### Quantitative

150 bakers in 4 districts in  
Dakar region

Data entry -> SPSS

Data mgnt & analyses -> Stata



### Decision process Assumption

### Nature of the dependent variable

Joint

Continuous

Counts

Tobit

Poisson/NBRM

Separate

Cragg's two-part model

Mullahy's hurdle model

1<sup>st</sup> stage

○ logit/probit

○ logit/probit

2<sup>nd</sup> stage

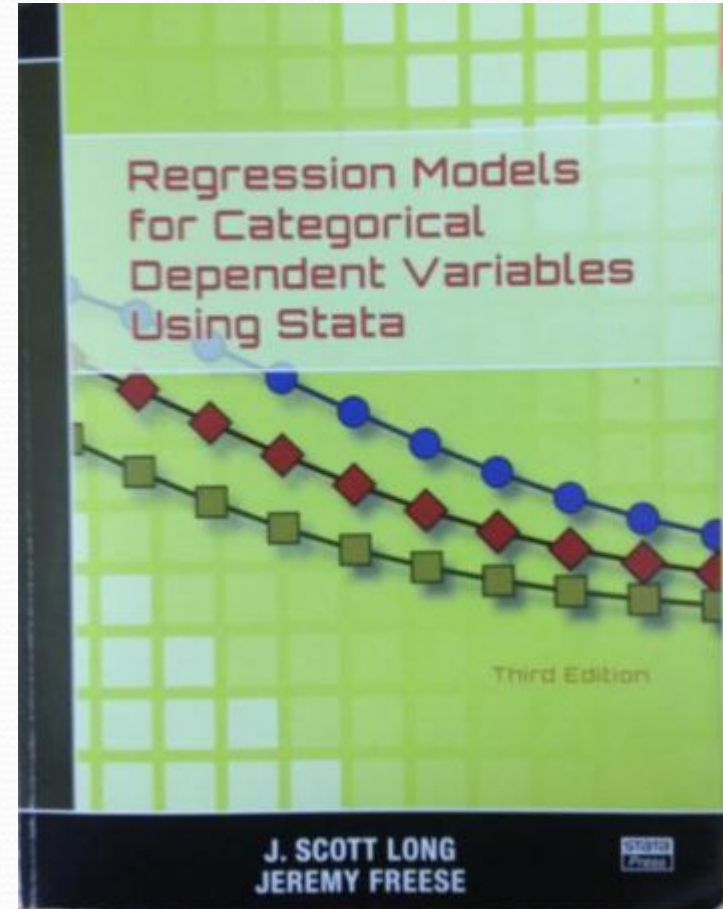
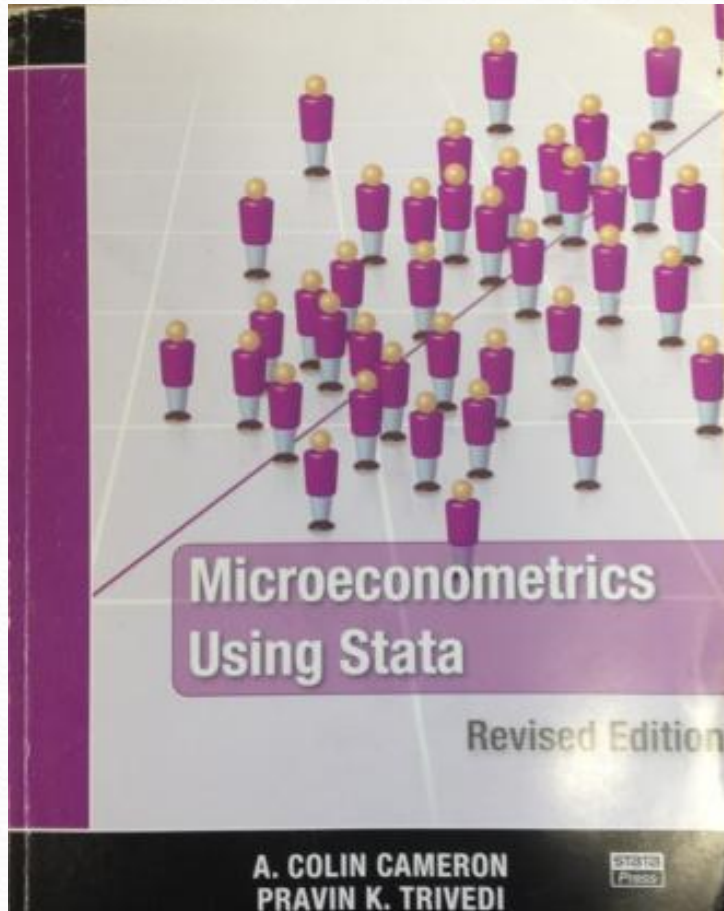
○ OLS / truncated reg.

○ ZTP /ZTNB

Heckit

ZIP /ZINB





variable name	variable label
<u>qlflour</u>	Quantity of local flour used (kg/day)
owner	1 if owner-managed
age	Age of the respondent (years)
exper	Experience in c. bread baking (years)
educ	1 if received any education
bakeries	Number of bakeries owned
fnbsmb	1 if member of FNBS
cftrain	1 if trained in cf production
cbtrain	1 if trained in c. bread baking
mixer50	1 if bakery uses a 50kg mixer
mixer80	1 if bakery uses a 80kg mixer
mixer100	1 if bakery uses a 100kg mixer
wmpratio	Wheat-millet price ratio
qbread	Quantity of bread produced (tonnes)
district	1=Dakar, 2=Pikine, 3=Rufisque, 4=Guediawaye

```
. misstable sum $ylist $zlist,
```

```
Obs<.
```

Variable	Obs=.	Obs>.	Obs<.	Unique values	Min	Max
qlflour	1		149	21	0	350
age	3		147	42	18	68
wmpratio	1		149	31	.5933333	2.057143
qbread	1		149	145	.02085	1.5696

```
. mark nomiss
```

```
. markout nomiss $ylist $zlist
```

```
. drop if nomiss==0 //To drop all obse
```

Acock, (2014, pp.400-402)

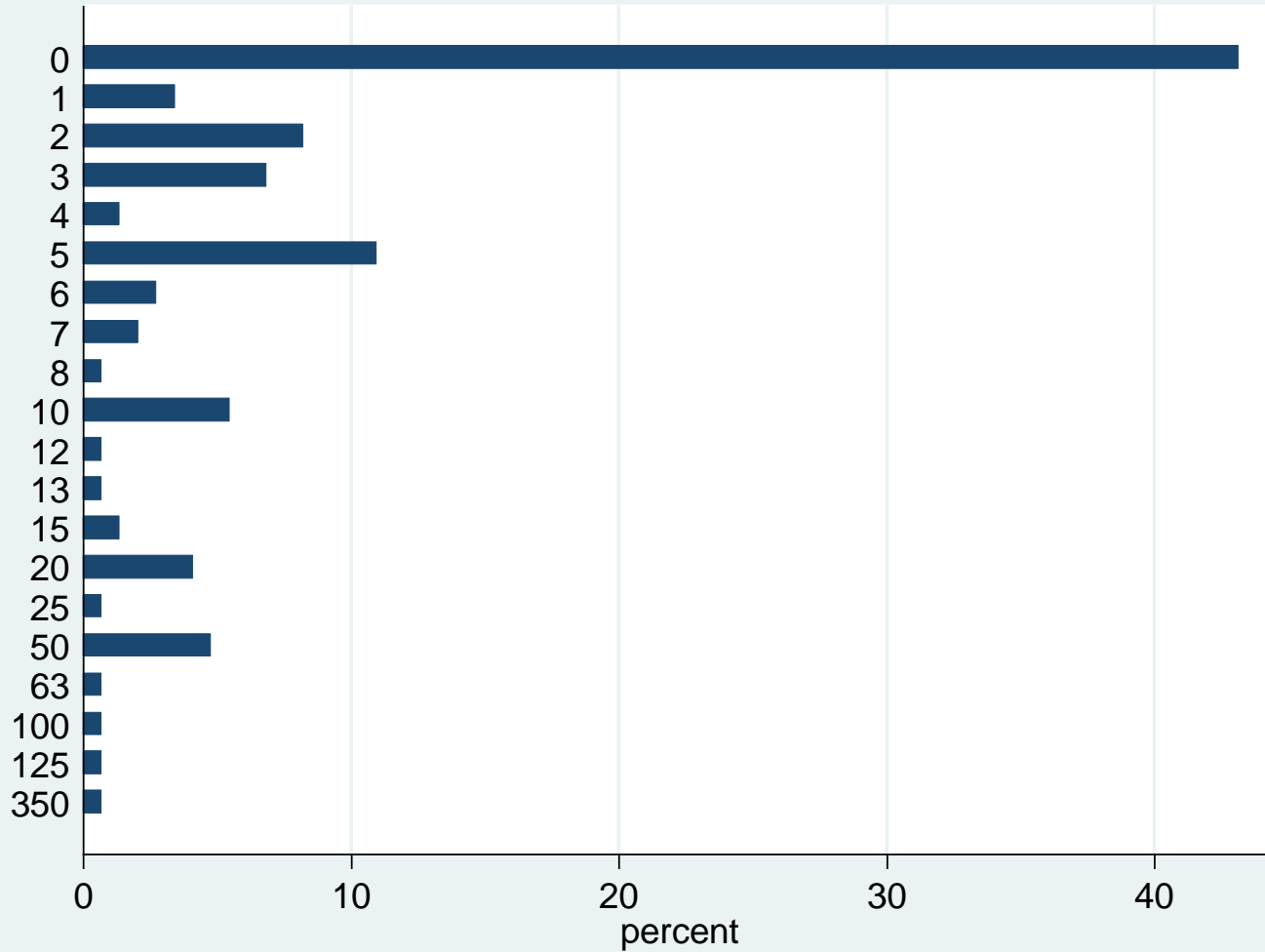
Which model to use?



### 3. Methods 3.5 Model selection

. catplot qlflour, percent

✓ Count data models



Distribution of the dependent variable

## Poisson Regression Model (PRM)

$$\Pr(y_i|x_k) = \frac{\exp(-\mu_i) \mu_i^{y_i}}{y_i!} \quad \text{where} \quad \mu_i = E(y_i|x_k) = \exp(x_k\beta_k) \quad \& \quad \text{var}(y_i|x_k) = \mu_i$$

- . quietly poisson \$ylist \$xlist, nolog irr vce(robust)
- . estat gof

```
Deviance goodness-of-fit = 2596.768
Prob > chi2(129) = 0.0000
```

```
Pearson goodness-of-fit = 3809.871
Prob > chi2(129) = 0.0000
```

Negative Binomial Regression Model (NBRM)

$$Pr(y_i|\alpha, \mu) = \frac{\Gamma(y + 1/\alpha)}{\Gamma(y + 1)\Gamma(1/\alpha)} \left(\frac{1}{1 + \alpha\mu}\right)^{1/\alpha} \left(1 - \frac{1}{1 + \alpha\mu}\right)^y$$

where

$$var(y_i|\mu_i, \alpha) = \mu_i + \alpha\mu_i^p$$

Cameron and Trivedi (2013, p. 74)

Hardin and Hilbe (2014, pp. 286-287)

```
. nbreg $ylist $xlist, nolog irr vsquish
```

Negative binomial regression

Dispersion = mean

Log likelihood = -371.68983

```
Number of obs      =           146
LR chi2(16)        =           56.30
Prob > chi2        =           0.0000
Pseudo R2         =           0.0704
```

Estimates for predictors omitted

/lnalpha	1.023622	.1485063	.7325553	1.314689
alpha	2.783258	.4133315	2.08039	3.723594

LR test of alpha=0: chibar2(01) = 2169.19

Prob >= chibar2 = 0.000

## Negative Binomial Regression Model (NBRM)

\* Discriminating between NB1 and NB2

Hardin and Hilbe (2014)

```
. nbregp $ylist $xlist, nolog vsquish vce(robust)
```

```
Negative binomial-P regression          Number of obs   =          146
                                         Wald chi2(16)   =          84.49
Log pseudolikelihood = -371.6014        Prob > chi2     =          0.0000
```

## Estimates for predictors omitted

/P	2.080491	.337584	6.16	0.000	1.418839	2.742144
/lntheta	.8388544	.8220121			-.7722598	2.449969
theta	2.313715	1.901902			.4619679	11.58798

```
Likelihood-ratio test of P=1:      chi2 =      13.53 Prob > chi2      =      0.0002
Likelihood-ratio test of P=2:      chi2 =       0.18 Prob > chi2      =      0.6741
```



## \* Discriminating between NB1 and NB2

Long and Freese (2014)

```
. quietly nbreg $ylist $xlist, nolog dispersion (constant) vce (robust)
. fitstat, using (nb2)
```

		Current	Saved	Difference
IC				
	AIC	792.737	779.380	13.357
	AIC divided by N	5.430	5.338	0.091
	BIC (df=18/18/0)	846.441	833.085	13.357

Note: Some measures based on pseudolikelihoods.

Difference of 13.357 in BIC provides very strong support for saved model.

Are some non-adopters constrained ?

Zero Inflated Negative Binomial (ZINB)



C:\Users\kkondo3\Documents\phd\6\_Jou

```
. zinb $ylist $xlist, inflate(i.owner age i.educ i.mixer50 i.district) nolog vuong vsquish
```

```
Zero-inflated negative binomial regression      Number of obs      =          146
                                                Nonzero obs        =           83
                                                Zero obs           =           63

Inflation model = logit                      LR chi2(16)        =          66.10
Log likelihood = -357.117                    Prob > chi2        =          0.0000
```

Estimates for predictors omitted

/lnalpha	.2362462	.2027765	1.17	0.244	-.1611884	.6336808
alpha	1.266486	.2568136			.8511317	1.884534

Vuong test of zinb vs. standard negative binomial: z = 2.62 Pr>z = 0.0044

Adoption decision -> Binary choice logit

$$\Pr(y_i=0|x_k) = \frac{\exp(\alpha_k \gamma_k)}{1 + \exp(\alpha_k \gamma_k)} = \pi_i$$

- . quietly logit \$ylist \$xlist, nolog vce (robust) vsquish
- . est store logit ←

Classified + if predicted Pr(D) >= .5

True D defined as qlflour != 0

Sensitivity	Pr( +   D)	79.52%
Specificity	Pr( -   ~D)	71.43%
Positive predictive value	Pr( D   +)	<u>78.57%</u>
Negative predictive value	Pr( ~D   -)	<u>72.58%</u>
False + rate for true ~D	Pr( +   ~D)	28.57%
False - rate for true D	Pr( -   D)	20.48%
False + rate for classified +	Pr( ~D   +)	21.43%
False - rate for classified -	Pr( D   -)	27.42%
Correctly classified		<u>76.03%</u>

Quantity decisions -> ZTP / ZTNB

$$E(y_i | y_i > 0, x_k) = \frac{\Pr(y_i | x_k)}{1 - (1 + \alpha \mu_i)^{-1/\alpha}}$$

x2list = x1list c.exper##c.exper

$$E(y_i | x_k) = (1 - \pi_i) * E(y_i | y_i > 0, x_k)$$

```
. tnbreg $ylist $x2list if $ylist>0, nolog vsquish
```

Truncated negative binomial regression	Number of obs	=	83
Truncation point: 0	LR chi2(18)	=	57.23
Dispersion = mean	Prob > chi2	=	0.0000
Log likelihood = -271.2018	Pseudo R2	=	0.0954

#### Estimates for predictors omitted

/lnalpha	.1034232	.2498786	-.3863298	.5931763
alpha	1.108961	.2771055	.6795464	1.809727

LR test of alpha=0: chibar2(01) = 1115.52 Prob >= chibar2 = 0.000

```
. est store ztnb
```

## Likelihood ratio test

**NBRM VS HRM (LOGIT + ZTNB)**

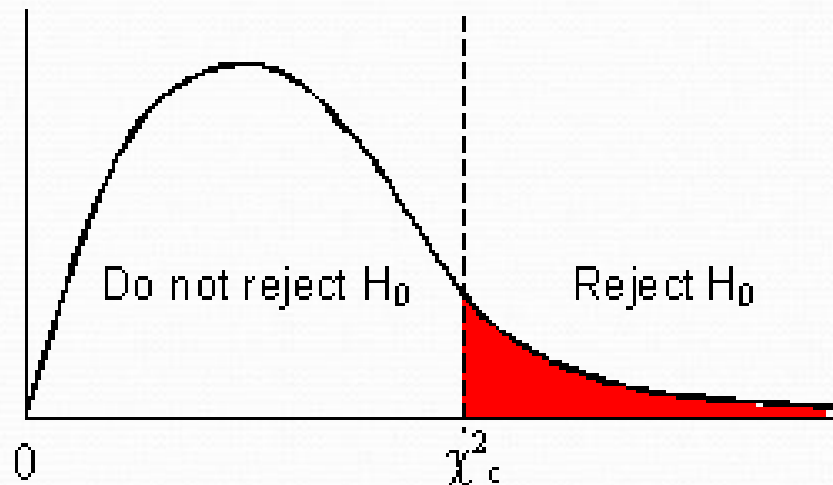
```
quietly nbreg $ylist $xlist, nolog vce(robust)
scalar llnbreg=e(ll)
quietly logit $ylist $xlist, nolog vce(robust)
scalar lllogit=e(ll)
quietly ztnb $ylist $x2list if $ylist>0, nolog///
vce(robust)
scalar llztnb=e(ll)
scalar nbregtest= -2*( llnbreg-(lllogit+llztnb))
display "nbregtest = " nbregtest
```

nbregtest = 50.211523

**ZINB VS HRM (LOGIT + ZTNB)**

```
quietly zinb $ylist $xlist, inflate(i.owner age ///
i.educ i.mixer50 i.district) vce(robust)
scalar llzinb=e(ll)
quietly logit $ylist $xlist, nolog vce(robust)
scalar lllogit=e(ll)
quietly ztnb $ylist $x2list if $ylist>0, nolog vce(robust)
scalar llztnb=e(ll)
scalar zinbtest= -2*(llzinb - (lllogit+llztnb))
display "zinbtest = " zinbtest
```

zinbtest = 21.065822



(df1, 0.05) = 3.84

**HRM finally favoured**

#	Test	Test type	Null Hypothesis	Test statistics	Critical values (df1, 0.05)	Decision	Model favoured
1	PRM vs NBRM	LR	Alpha ( $\alpha$ ) = 0	2169.19 <sup>a</sup>	3.84	Reject H <sub>0</sub>	NBRM
2	NB-1 vs NB-2	LR	$p = 1$	13.53 <sup>b</sup>	3.84	Reject H <sub>0</sub>	NB-2
			$p = 2$	0.18	3.84	Accept H <sub>0</sub>	
3	ZTP vs ZTNB		Alpha ( $\alpha$ ) = 0	1115.52	3.84	Reject H <sub>0</sub>	ZTNB
4	NB-2 vs HRM	LR	NB-2 better than HRM	50.21 <sup>c</sup>	3.84	Reject H <sub>0</sub>	HRM
5	ZINB vs NB-2	Vuong	ZINB better than NB-2	2.62 <sup>d</sup>	6.31	Accept H <sub>0</sub>	ZINB
6	ZINB vs HRM	LR	ZINB better than HRM	21.07	3.84	Reject H <sub>0</sub>	HRM

# 4. Results

## 4.1 Adoption rate

```
. fre composite
```

composite — 1 if baker uses composite flour, 0 otherwise

		Freq.	Percent	Valid	Cum.
Valid	0 Non_adopters	63	43.15	43.15	43.15
	1 Adopters	83	<u>56.85</u>	56.85	100.00
	Total	146	100.00	100.00	

### Conditional & unconditional daily local flour consumption

```
. tabstat qlflour, statistics (N mean sd min max) by (composite)
```

Summary for variables: qlflour

by categories of: composite ( 1 if baker uses composite flour, 0 otherwise)

composite	N	mean	sd	min	max
Non_adopters	63	0	0	0	0
Adopters	83	<u>17.68675</u>	42.64829	1	350
Total	146	<u>10.05479</u>	33.25467	0	350

```
. estout logit ztnb, eq(1) style(fixed) cells((b (star fmt(%9.3f)) ///  
> z(par fmt(%9.3f)))) collabels("") mlabels("logit_OR" "ztnb_IRR") ///  
> eqlabels(,none) stats(N df_m chi2 p, ///  
> labels ("Observations" "df" "Chi2" "prob>chi2") ///  
> fmt(%9.0f %9.3f) varlabels(lnalpha:_cons _alpha) legend nobase ///  
> starlevels(* 0.10 ** 0.05 *** 0.01) eform
```



	logit_OR		ztnb_IRR	
1.owner <span style="color: red;">✗</span>	1.795	(1.108)	0.310***	(-4.213)
age <span style="color: green;">✓</span>	0.882	(-0.925)	1.200*	(1.891)
c.age#c.age	1.002	(0.946)	0.998*	(-1.686)
1.educ	6.366	(1.565)	0.261	(-1.376)
bakeries <span style="color: green;">✓</span>	1.532**	(2.526)	1.105	(1.133)
1.fnbsmb <span style="color: green;">✓</span>	1.124	(0.274)	1.660*	(1.786)
1.cftrain <span style="color: green;">✓</span>	2.778*	(1.692)	1.456	(1.013)
1.cbtrain	0.504	(-1.284)	0.680	(-1.285)
1.mixer50 <span style="color: green;">✓</span>	8.956***	(2.791)	1.111	(0.373)
1.mixer80	2.495	(1.479)	1.261	(0.677)
1.mixer100	1.301	(0.463)	1.165	(0.501)
wmpratio <span style="color: green;">✓</span>	23.693*	(1.812)	5.378*	(1.841)
qbread <span style="color: green;">✓</span>	2.249	(0.997)	5.343***	(3.180)
2.district	0.562	(-1.005)	0.488	(-1.503)
3.district <span style="color: red;">✗</span>	3.509	(1.409)	0.252***	(-2.712)
4.district	2.607	(1.213)	0.688	(-1.020)
exper <span style="color: green;">✓</span>			1.109**	(2.180)
c.exper#c.~r			0.996***	(-2.901)
_cons	0.009	(-1.399)	0.036*	(-1.822)
_alpha			1.109	(0.395)
Observations	146		83	
df	16.000		18.000	
Chi2	31.882		103.662	
<u>prob&gt;chi2</u>	<u>0.010</u>		<u>0.000</u>	

\* p<0.10, \*\* p<0.05, \*\*\* p<0.01

# 4. Results

## Post-estimation results

Variables	Adoption model (logit)		Quantity model (ZTNB)	
	%OR 1dx	AME	% E(y) 1dx	AME
<b>Bakers' characteristics</b>				
<i>owner</i>	79.5	0.104	-69.0***	-19.075***
<i>age</i>	-11.8	-0.002	20.0*	0.60**
<i>Age<sup>2</sup></i>	0.2		-0.2*	
<i>educ</i>	536.6	0.301*	-73.9	-48.94
<i>bakeries</i>	53.2**	<u>0.074***</u>	10.5	1.78
<i>exper</i>			10.9**	0.54
<i>Exper<sup>2</sup></i>			-0.4***	
<b>Institutional factors</b>				
<i>fnbsmb</i>	12.4	0.021	66.0*	<u>8.13*</u>
<i>cftrain</i>	177.8*	0.178*	45.6	<u>6.89</u>
<i>cbtrain</i>	-49.6	-0.114	-32.0	-6.86
<b>Production factors</b>				
<i>mixer50</i>	795.6***	0.340***	11.1	1.88
<i>mixer80</i>	149.5	0.160	26.1	4.066
<i>mixer100</i>	30.1	0.045	16.5	2.60
<i>wmpratio</i>	2269.3*	<u>0.550*</u>	437.8*	29.88
<i>qbread</i>	124.9	<u>0.141</u>	434.3***	29.76**
<b>Location</b>				
<i>Pikine vs Dakar</i>	-43.8	-0.105	-51.2	-13.79
<i>Rufisque vs Dakar</i>	250.9	0.216	-74.8***	-20.15*
<i>Guediawaye vs Dakar</i>	160.7	0.170	-31.2	-8.40
<i>Rufisque vs Pikine</i>		0.321***		-6.36
<i>Guediawaye vs Pikine</i>		0.275***		5.39
<i>Guediawaye vs Rufisque</i>		-0.046		11.75
N		146		83
<b>Predictions</b>				
Prb ( <i>qlflour</i> = 0)		0.432		
Prb ( <i>qlflour</i> > 0)		0.568		
Expected <i>qlflour</i>				17.76

\* p<0.10; \*\* p<0.05; \*\*\* p<0.01

`. mchange bakeries wmpratio, amount (one sd range) stat (change from to se pvalue) decimals(3)`

logit: Changes in Pr(y) | Number of obs = 146

Digging into the effects of significant continuous variables on prb. adoption

Expression: Pr(composite), predict(pr)

	Change	From	To	Std Err	p-value
<b>bakeries</b>					
+1	0.073	0.568	0.642	0.027	0.007
+SD	0.122	0.568	0.691	0.044	0.005
Range	0.480	0.515	0.996	0.047	0.000
<b>wmpratio</b>					
+1	0.378	0.568	0.946	0.086	0.000
+SD	0.081	0.568	0.649	0.042	0.055
Range	0.631	0.309	0.941	0.206	0.002

Average predictions

	Non_ado~s	Adopters
Pr(y base)	0.432	0.568

### Impact of FNBS membership on the extent of adoption

```
. ttest qlflour if composite==1, by (fnbsmb)
```

Two-sample t test with equal variances

Group	Obs	Mean	Std. Err.	Std. Dev.	[95% Conf. Interval]	
Non_memb	34	9.176471	2.009545	11.71756	5.08802	13.26492
Members	49	23.59184	7.727442	54.0921	8.054772	39.1289
combined	83	17.68675	4.681258	42.64829	8.374235	26.99926
diff		-14.41537	9.442962		-33.2039	4.373167

diff = mean(Non\_memb) - mean(Members)

t = -1.5266

Ho: diff = 0

degrees of freedom = 81

Ha: diff < 0

Ha: diff != 0

Ha: diff > 0

Pr(T < t) = 0.0654

Pr(|T| > |t|) = 0.1308

Pr(T > t) = 0.9346

## 4. Results

### Impact of FNBS membership on the extent of adoption

```
. mtable, at(fnbsmb =(0 1)) atmeans ///  
> pr(1 2 3 5 10 15 20 50 60 70 80) width(7) brief
```

Expression: Pr(qlflour), predict(pr())

Expression: Pr(qlflour), predict(pr())

	fnbsmb	1	2	3	5	10	15	20	50	60	70	80
1	0	0.083	0.073	0.065	0.053	0.033	0.021	0.014	0.001	0.000	0.000	0.000
2	1	0.056	0.050	0.046	0.040	0.029	0.022	0.017	0.004	0.002	0.001	0.001



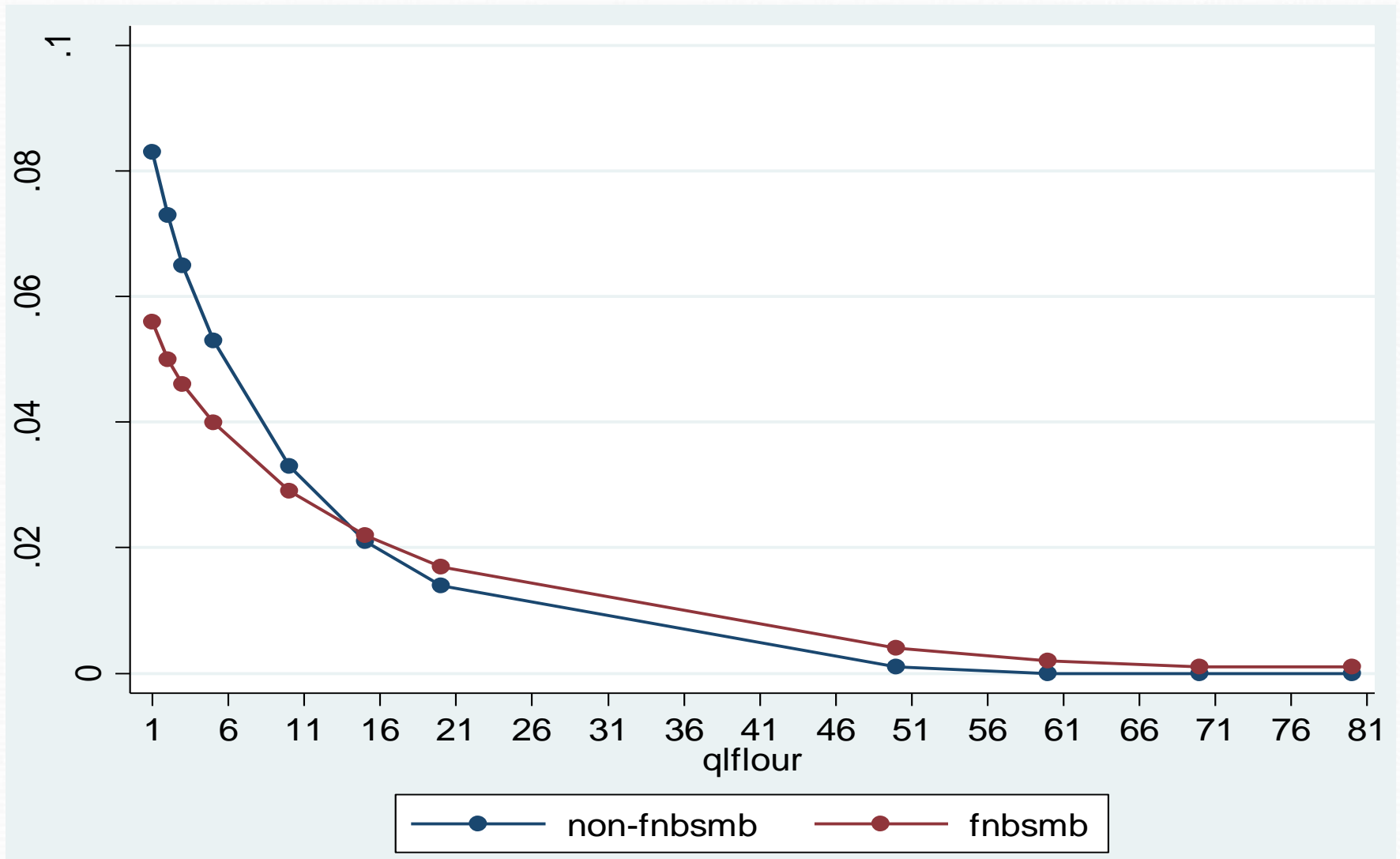
C:\Users\kkondo3\  
ments\phd\6\_Jou

```
. use "...Prob counts by fnbsmb and non fnbsmb.dta", clear
```

```
. twoway (connected nonfnbsmb fnbsmb qlflour ), ytitle (Probability) ylabel(0(.02).1, gmax) xlabel(1 (5) 80)
```

## 4. Results

Impact of FNBS membership on the extent of adoption



## 5. Implications

Strategies to enhance adoption and consumption of local flour to lessen importation of main ingredient might:

1. Promote 50 kg dough capacity mixers;
2. Intensify the professional training on composite flour production
3. Ensure the availability of local flour at lower price than wheat flour through diverse strategies
4. Institutionalise the use of the local flour in bread baking and
5. Strengthen the contractual arrangement between the value chain actors.

## 6. Way Forward

1. Provide evidence of technical and allocative inefficiencies among bakers
2. Identify factors affecting efficiencies including CF adoption.
3. Identify the determinants of adoption of improved varieties and good agronomic practices among millet and cassava farmers in Senegal and Ghana
4. Assess the impact of adoption on farmers' technical and economic performances.



# 7. Acknowledgement

## Funding



## Technical and logistics support



## Collaboration with



## References

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کیمیائی عین

