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## Description

st_subview $(X, V, i, j)$ creates new view matrix $X$ from existing view matrix $V . V$ is to have been created from a previous call to st_view() (see [M-5] st_view()) or st_subview ().

Although st_subview () is intended for use with view matrices, it may also be used when $V$ is a regular matrix. Thus code may be written in such a way that it will work without regard to whether a matrix is or is not a view.
$i$ may be specified as a $1 \times 1$ scalar, a $1 \times 1$ scalar containing missing, as a column vector of row numbers, as a row vector specifying a row-number range, or as a $k \times 2$ matrix specifying both:
a. st_subview $(X, V, 1,2)$ makes $X$ equal to the first row of the second column of $V$.
b. st_subview $(X, V, ., 2)$ makes $X$ equal to all rows of the second column of $V$.
c. st_subview $(X, V,(1 \backslash 2 \backslash 5), 2)$ makes $X$ equal to rows 1,2 , and 5 of the second column of $V$.
d. st_subview $(X, V,(1,5), 2)$ makes $X$ equal to rows 1 through 5 of the second column of $V$.
e. st_subview $(X, V,(1,5 \backslash 7,9), 2)$ makes $X$ equal to rows 1 through 5 and 7 through 9 of the second column of $V$.
f. When a range is specified, any element of the range ( $i_{1}, i_{2}$ ) may be set to contribute zero observations if $i_{2}=i_{1}-1$. For example, $(1,0)$ is not an error and neither is $(1,0 \backslash 5,7)$.
$j$ may be specified in the same way as $i$, except transposed, to specify the selected columns:
a. st_subview $(X, V, 2,$.$) makes X$ equal to all columns of the second row of $V$.
b. st_subview $(X, V, 2,(1,2,5))$ makes $X$ equal to columns 1,2 , and 5 of the second row of $V$.
c. st_subview $(X, V, 2,(1 \backslash 5))$ makes $X$ equal to columns 1 through 5 of the second row of $V$.
d. st_subview $(X, V, 2,((1 \backslash 5),(7 \backslash 9)))$ makes $X$ equal to columns 1 through 5 and 7 through 9 of the second row of $V$.
e. When a range is specified, any element of the range $\left(j_{1} \backslash j_{2}\right)$ may be set to contribute zero columns if $j_{2}=j_{1}-1$. For example, ( $1 \backslash 0$ ) is not an error and neither is $((1 \backslash 0),(5 \backslash 7))$.

Obviously, notations for $i$ and $j$ can be specified simultaneously:
a. st_subview $(X, V, .,$.$) makes X$ a duplicate of $V$.
b. st_subview $(X, V, .,(1 \backslash 5))$ makes $X$ equal to columns 1 through 5 of all rows of $X$.
c. st_subview $(X, V,(10,25),(1 \backslash 5))$ makes $X$ equal to columns 1 through 5 of rows 10 through 25 of $X$.

Also, st_subview() may be used to create views with duplicate variables or observations from $V$.

## Syntax

void st_subview ( $X$, transmorphic matrix $V$, real matrix $i$, real matrix $j$ )
where

1. The type of $X$ does not matter; it is replaced.
2. $V$ is typically a view, but that is not required. $V$, however, must be real or string.

## Remarks and examples

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Say that you need to make a calculation on matrices $X$ and $Y$, which might be views. Perhaps the calculation is invsym $\left(X^{\prime} X\right) * X^{\prime} Y$. Regardless, you start as follows:

```
st_view(X, ., "v2 v3 v4", 0)
st_view(Y, ., "v1 v7" , 0)
```

You are already in trouble. You smartly coded fourth argument as 0 , meaning exclude the missing values, but you do not know that the same observations were excluded in the manufacturing of X as in the manufacturing of Y .

If you had previously created a touse variable in your dataset marking the observations to be used in the calculation, one solution would be

```
st_view(X, ., "v2 v3 v4", "touse")
st_view(Y, ., "v1 v7" , "touse")
```

That solution is recommended, but let's assume you did not do that. The other solution is

```
st_view(M, ., "v2 v3 v4 v1 v7", 0)
st_subview(X, M, ., (1,2,3))
st_subview(Y, M, ., (4,5))
```

The first call to st_view () will eliminate observations with missing values on any of the variables, and the second two st_subview () calls will create the matrices you wanted, obtaining them from the correctly formed M. Basically, the two st_subview () calls amount to the same thing as

```
X = M[., (1,2,3)]
Y = M[., (4,5)]
```

but you do not want to code that because then matrices $X$ and $Y$ would contain copies of the data, and you are worried that the dataset might be large.

For a second example, let's pretend that you are processing a panel dataset and making calculations from matrix $X$ within panel. Your code looks something like

```
st_view(id, ., "panelid", 0)
for (i=1; i<=rows(id); i=j+1) {
    j = endobs(id, i)
    st_view(X, (i,j), "v1 v2 ...", 0)
}
```

where you have previously written function endobs () to be

```
scalar endobs(vector id, scalar i)
{
    scalar j
    for (j=i+1; j<=rows(id); j++) {
        if (id[j]!=id[i]) return(j-1)
        }
    return(rows(id))
}
```

In any case, there could be a problem. Missing values of variable panelid might not align with missing values of variables v 1 , v2, etc. The result could be that observation and row numbers are not in accordance or that there appears to be a group that, in fact, has all missing data. The right way to handle the problem is

```
st_view(M, ., "panelid v1 v2 ...", 0)
st_subview(id, M, ., 1)
for (i=1; i<=rows(id); i=j+1) {
    j = endobs(id, i)
    st_subview(X, M, (i,j), (2\cols(M)))
}
```


## Conformability

st_subview $(X, V, i, j)$ :
input:

$$
\begin{array}{rllll}
V: & & r \times c & & \\
i: & & 1 \times 1, n \times 1, & \text { or } & n_{2} \times 2 \\
j: & & 1 \times 1,1 \times k, & \text { or } & 2 \times k_{2}
\end{array}
$$

output:

$$
X: \quad n \times k
$$

## Diagnostics

st_subview ( $X, V, i, j$ ) aborts with error if $i$ or $j$ are out of range. $i$ and $j$ refer to row and column numbers of $V$, not observation and variable numbers of the underlying Stata dataset.

## Also see

[M-5] select() - Select rows, columns, or indices
[M-5] st_view( ) - Make matrix that is a view onto current Stata dataset
[M-4] Stata - Stata interface functions

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